

# **Recent advances in Biomolecular NMR**

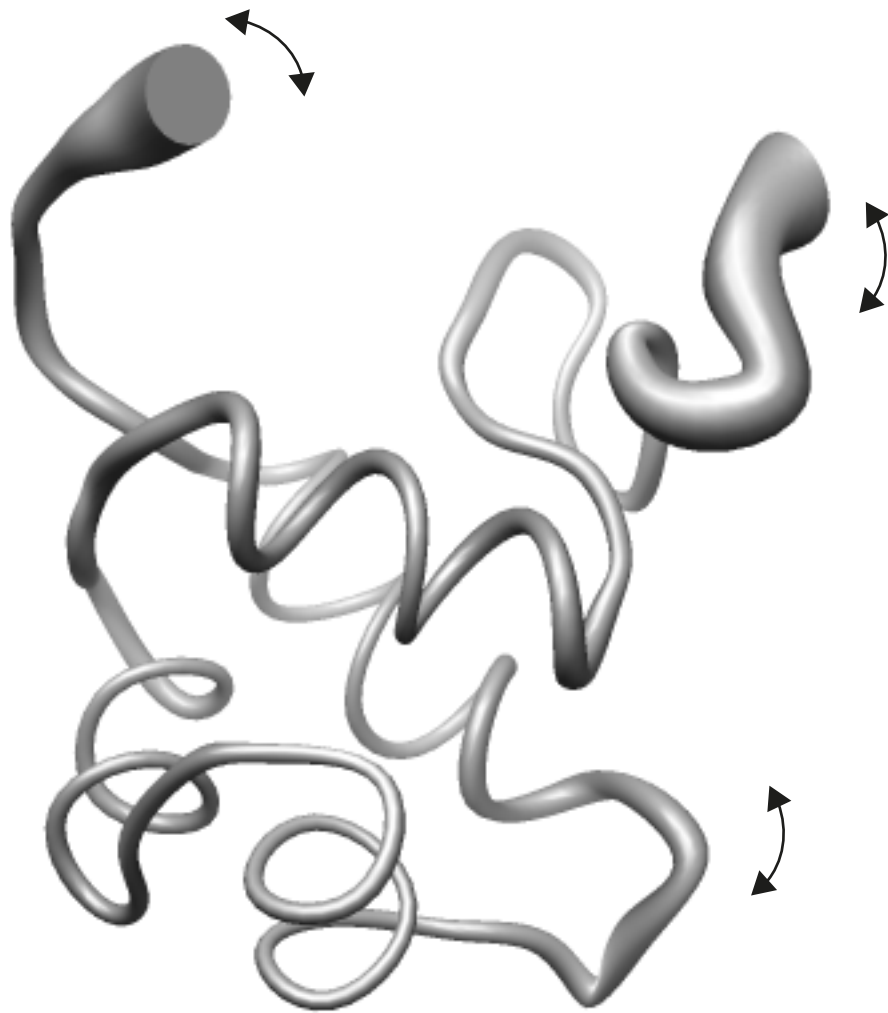
Roberto K. Salinas  
IQUSP

January/2014

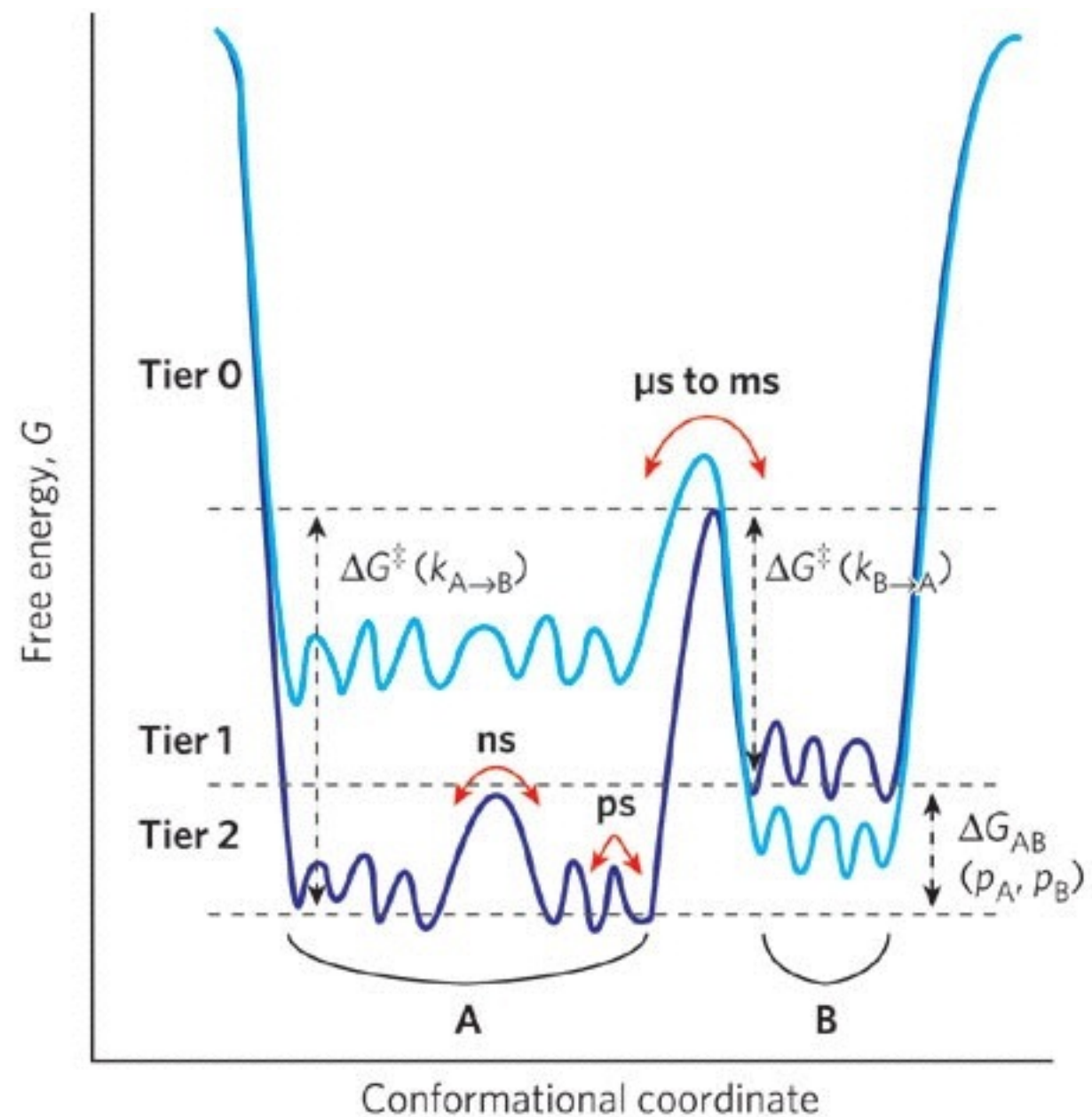
1. Introduction to protein dynamics
2. Example 1: VirB7
3. Example 2: Na/Ca exchanger
4. Example 3: Glucokinase

# Protein dynamics

Proteins are not rigid, they consist of an ensemble of conformations that interconvert at different time scales

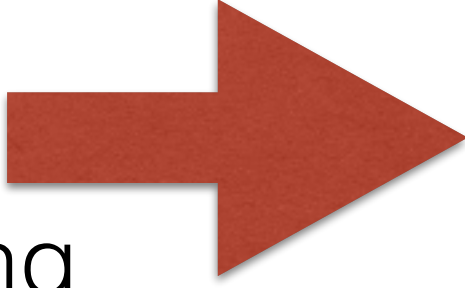


PDB 2JVL



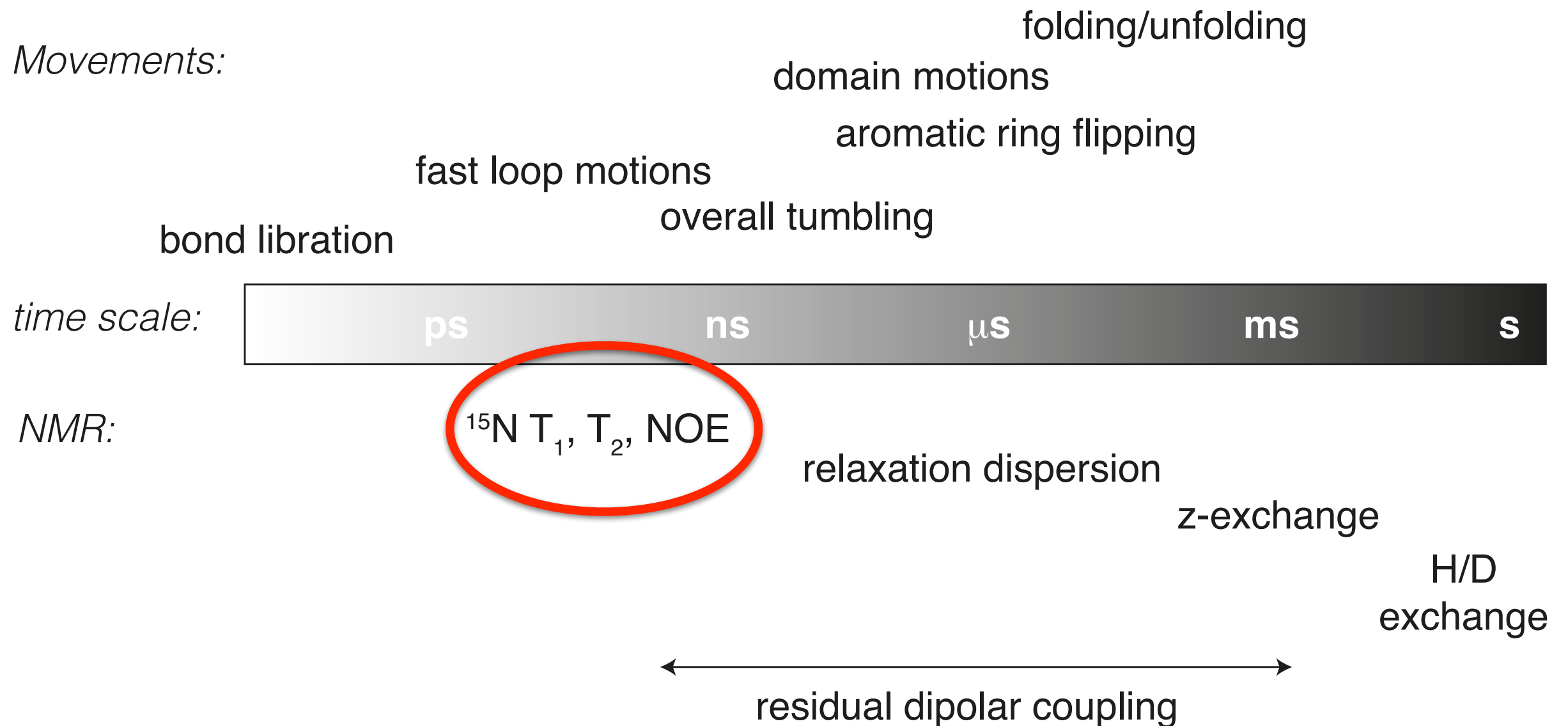
# Protein motions

**Proteins experience different kind of motions that are relevant in biological processes**

- Fast backbone motion
  - Side chain motion
  - Aromatic ring flipping
  - Inter-domain motion
  - Overall tumbling
- 
- Folding/unfolding
  - Allosteric communication
  - Ligand recognition
  - Enzyme kinetics

# NMR and dynamics

**Different NMR observables are sensitive to motions at different time scales**



# <sup>15</sup>N relaxation

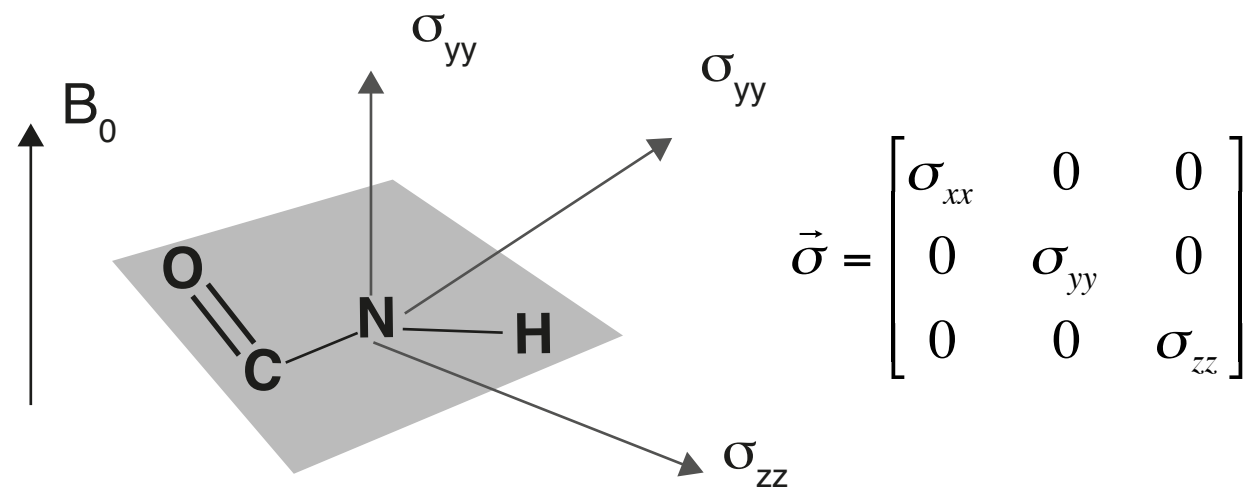
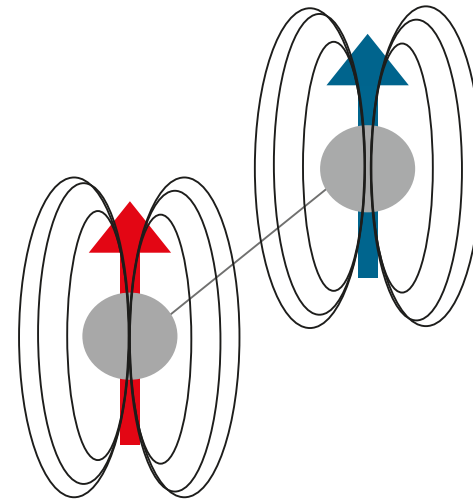
**(Stochastic) time modulation of the dipolar interaction and chemical shielding cause relaxation of the <sup>15</sup>N spin**

- dipolar interaction with the directly attached <sup>1</sup>H nuclei

$$\Delta\omega = \frac{\hbar\gamma_I\gamma_S}{r^3} (3\cos^2\theta(t) - 1)$$

- <sup>15</sup>N chemical shielding anisotropy (CSA)

$$\Delta\sigma = \sigma_{zz} - (\sigma_{xx} + \sigma_{yy})/2$$



- <sup>15</sup>N transverse relaxation is also sensitive to time modulation of the isotropic chemical shift. This effect can be exploited to obtain information on dynamics at microsecond to millisecond time scale

- All dynamic information about the protein is contained within the spectral density function**

For isotropic tumbling:

$$J(\omega) = \frac{\tau_c}{1 + \omega^2 \tau_c^2} \quad \tau_c = \frac{4\pi\eta a^3}{3kT}$$

- The spectral densities determine the relaxation rates**

$$\frac{1}{T_{1,2}} = \sum_i a_i^{1,2} J(\omega_i)$$

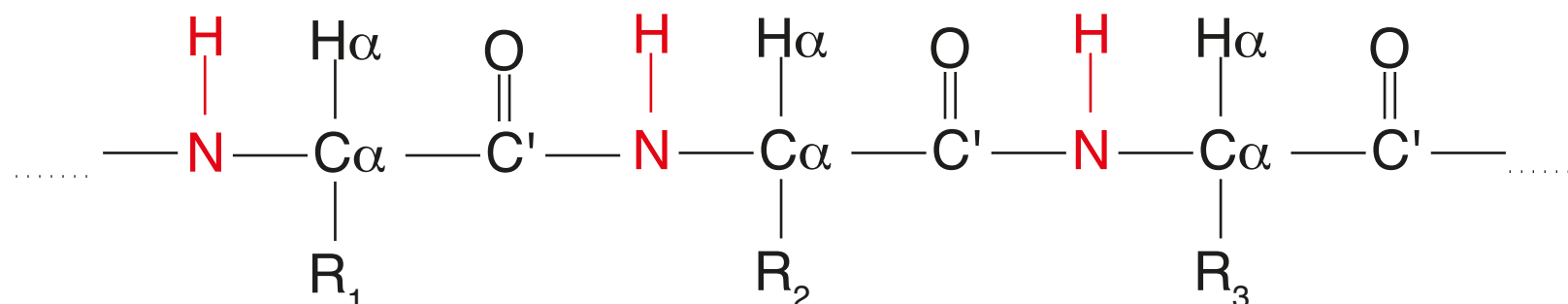
$$\frac{1}{T_1} = \frac{d^2}{10} [J(\omega_H - \omega_N) + 3J(\omega_N) + 6J(\omega_H + \omega_N)] + \frac{2}{15} \omega_N^2 \Delta\sigma^2 J(\omega_N)$$

$$\frac{1}{T_2} = \frac{d^2}{20} [4J(0) + J(\omega_H - \omega_N) + 3J(\omega_N) + 6J(\omega_H) + 6J(\omega_H + \omega_N)] + \frac{1}{45} \omega_N^2 \Delta\sigma^2 [4J(0) + 3J(\omega_N)] + R_{ex}$$

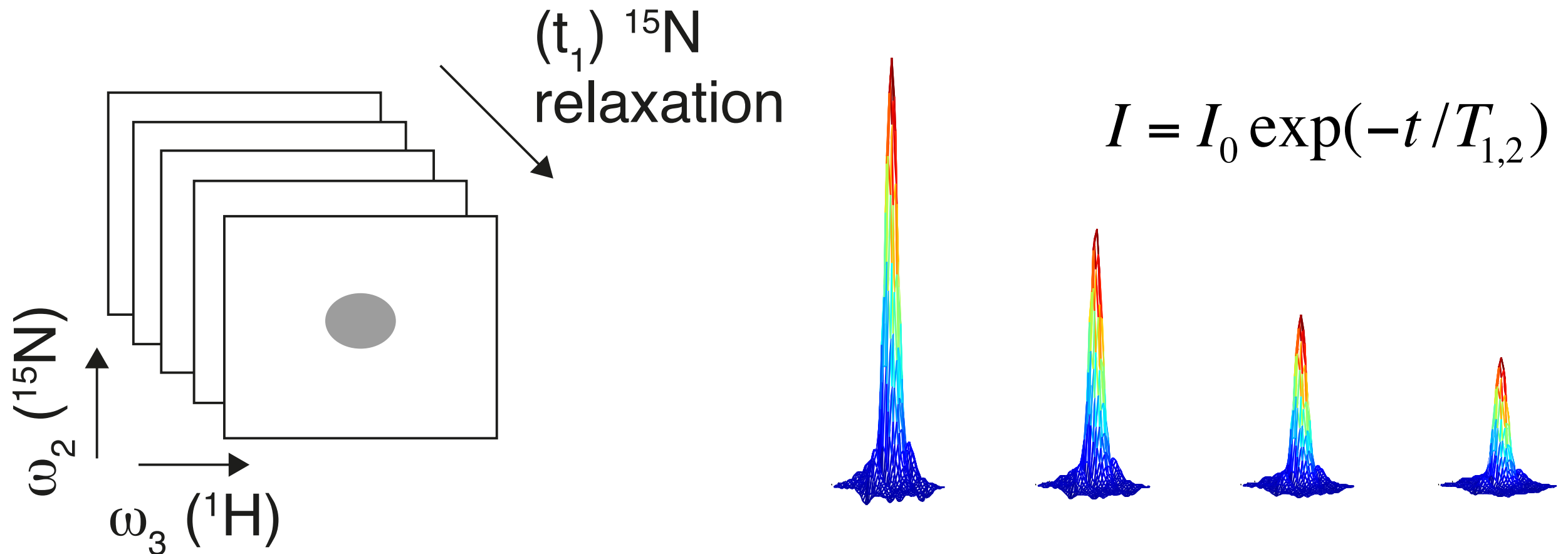
$$NOE = \frac{S_z}{S_z^0} = 1 + \frac{\gamma_H}{\gamma_N} d^2 \frac{1}{10} [6J(\omega_H + \omega_N) - J(\omega_H - \omega_N)] T_1^N$$

$$d^2 = \frac{\gamma_H^2 \gamma_N^2 \hbar^2}{r^6}$$

- T1, T2 and NOE will give information about the overall tumbling and the fast time scale (ps to ns) internal motions experienced by each amide bond vector**

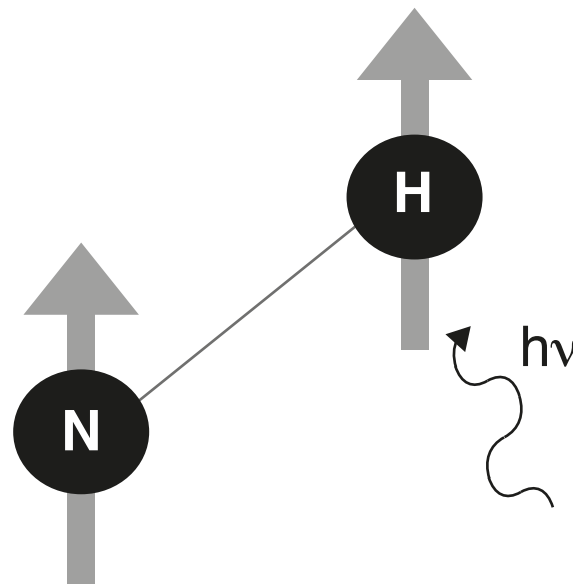


## Measuring $^{15}\text{N}$ $T_1$ and $T_2$



- Nuclear spin polarization is excited by electromagnetic fields and the return of spin magnetisation to thermal equilibrium is monitored using HSQC-based experiments
- Peak intensity decay due to relaxation is fitted to an exponential decay function in order to extract the spin relaxation times  $T_1$  and  $T_2$

# Measuring the $\{^1\text{H}\}^{15}\text{N}$ NOE

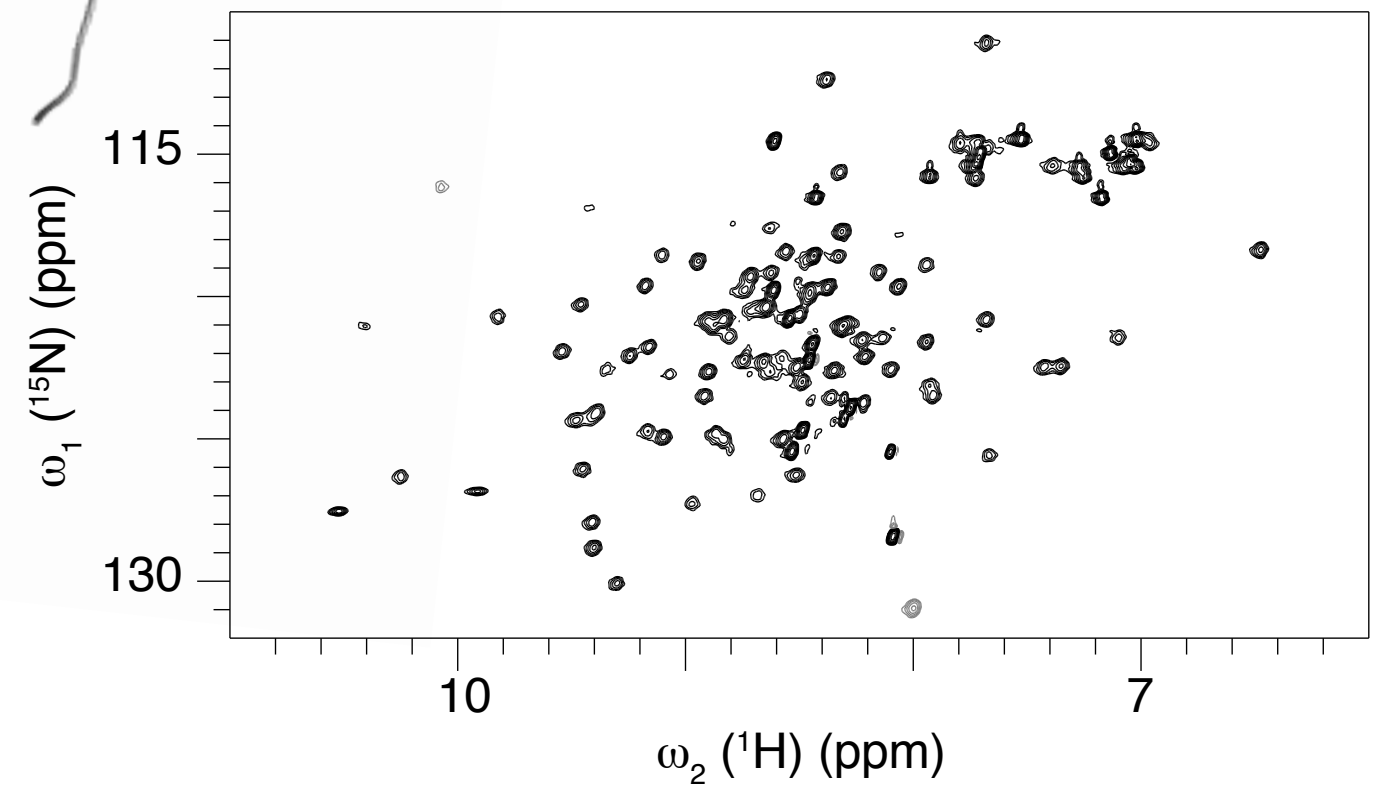
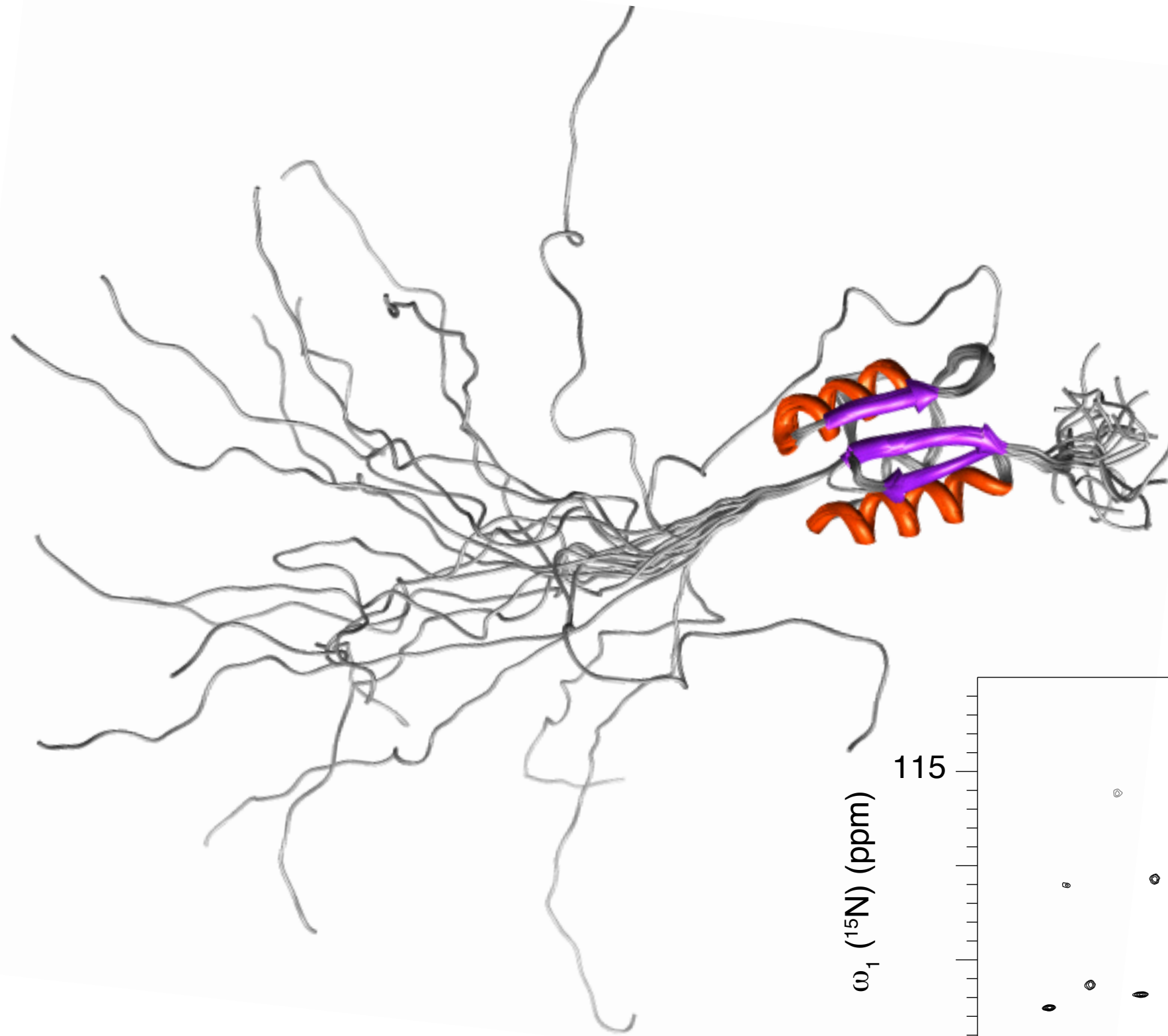


- The heteronuclear-NOE is given by ratio of the steady state  $^{15}\text{N}$  spin polarisation recorded in the presence and absence of saturation of the directly attached proton spin transitions

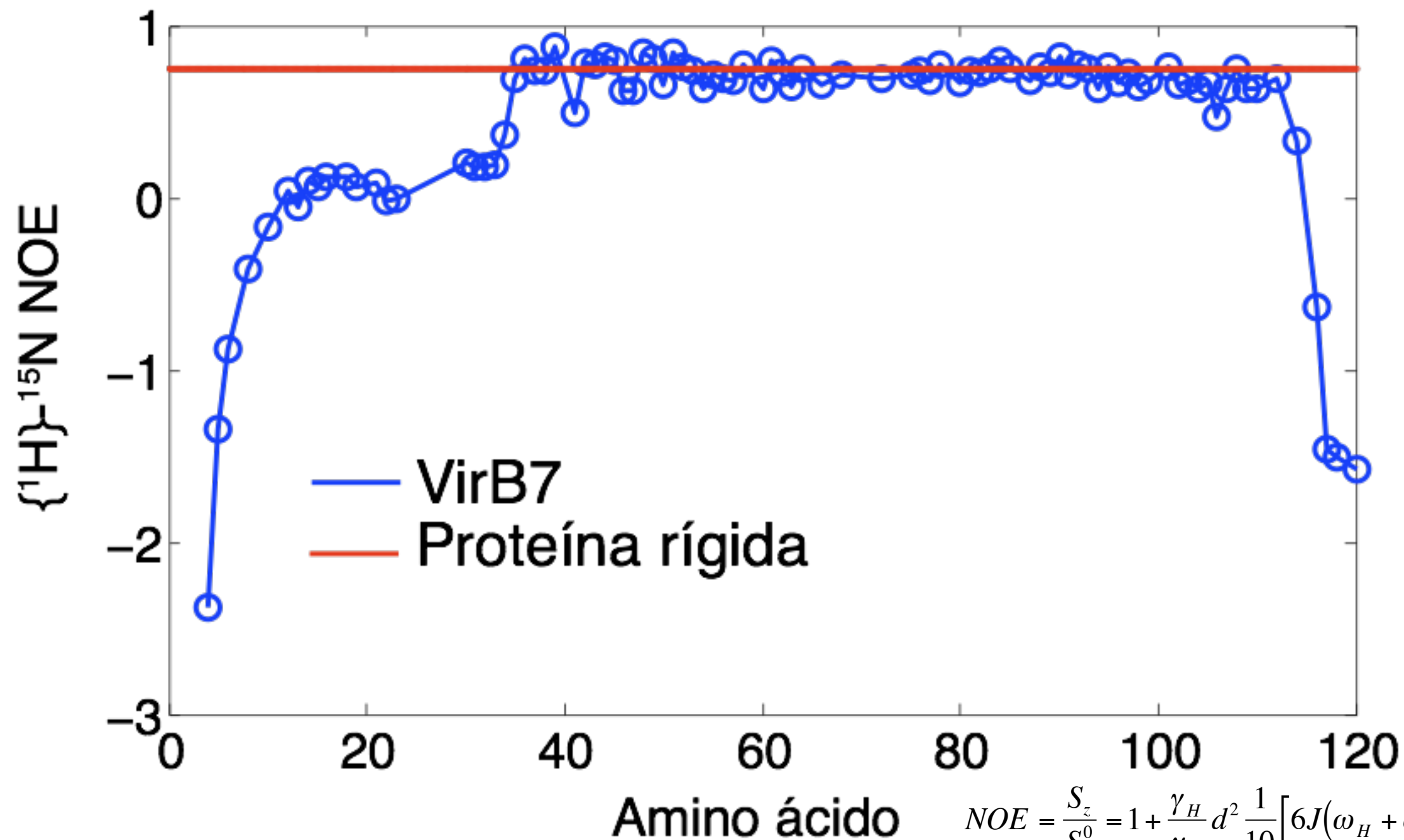
$$NOE = \frac{S_z(sat)}{S_z^0}$$

## **Example 1: VirB7**

# NMR structure of the N0 domain of VirB7

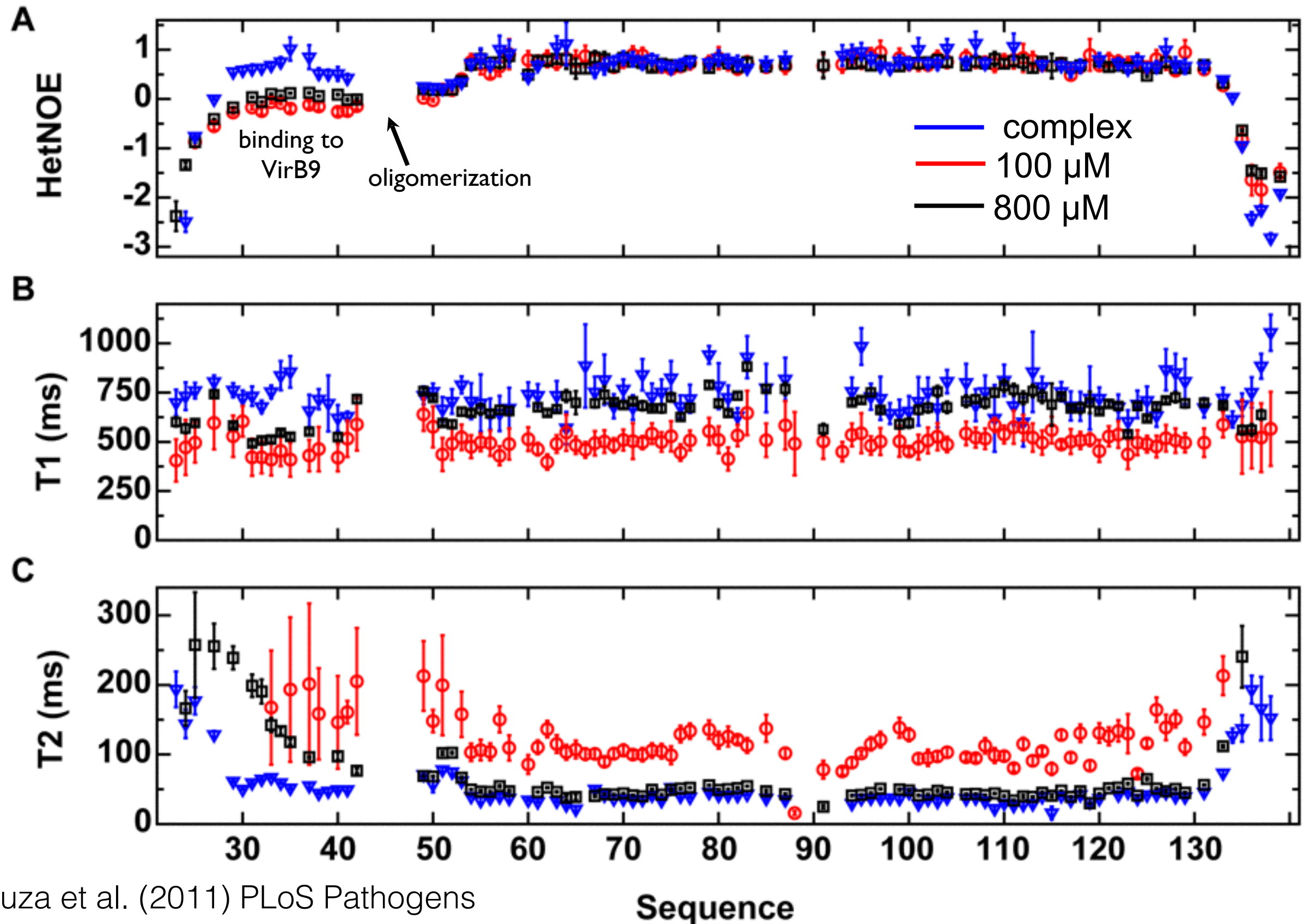


# Measurements of $\{^1\text{H}\}$ - $^{15}\text{N}$ NOE confirm that VirB7 consists of a flexible N-terminal tail followed by a rigid protein core

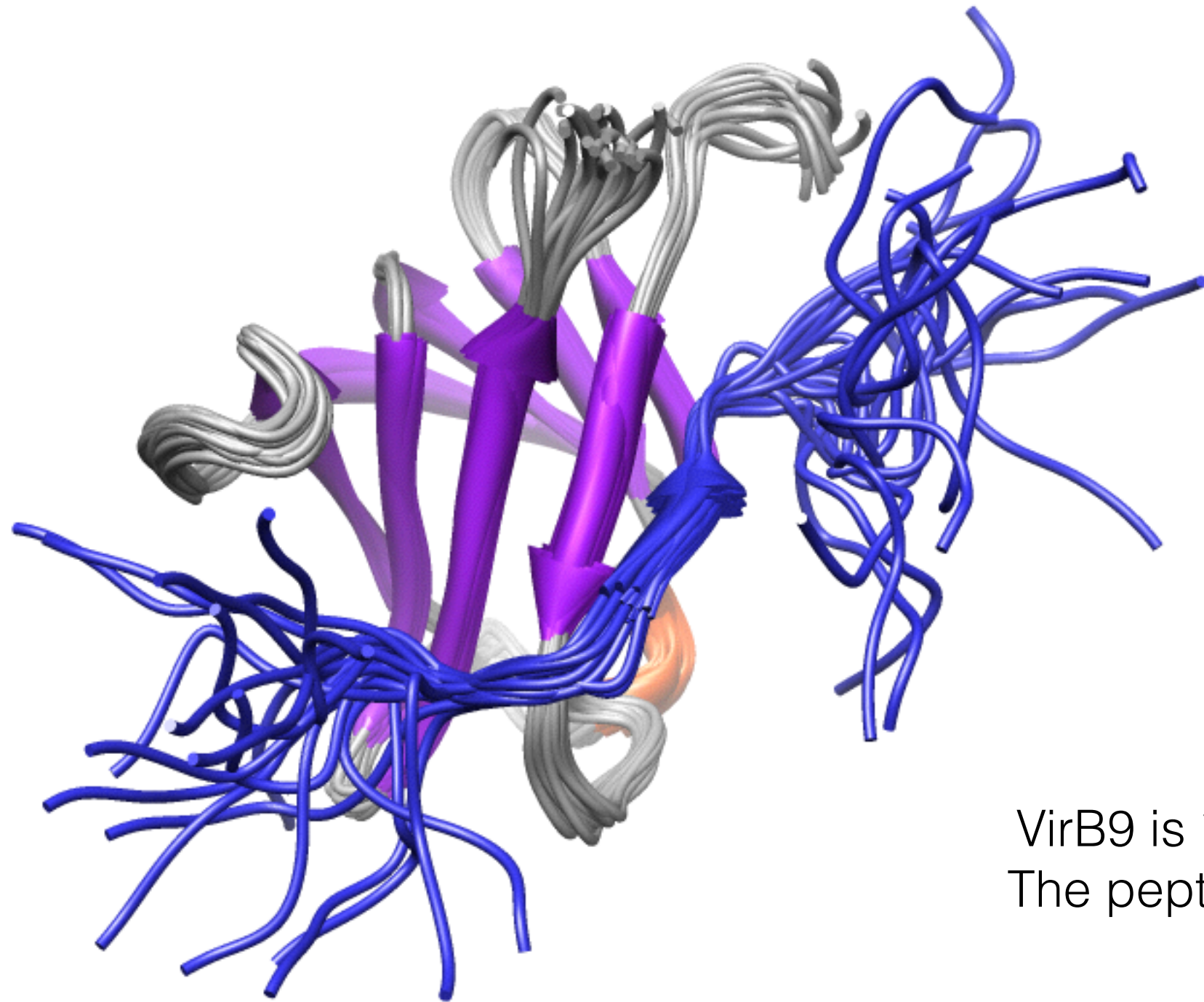


$$NOE = \frac{S_z}{S_z^0} = 1 + \frac{\gamma_H}{\gamma_N} d^2 \frac{1}{10} [6J(\omega_H + \omega_N) - J(\omega_H - \omega_N)] T_1^N$$
$$d^2 = \frac{\gamma_H^2 \gamma_N^2 \hbar^2}{r^6}$$

# Measurements of $^{15}\text{N}$ T1, T2 and NOE indicate that the flexible N-terminal tail becomes rigid upon ligand binding



# A preliminar NMR structure shows that the N-terminal tail of VirB7 binds to VirB9 and folds into a beta-strand

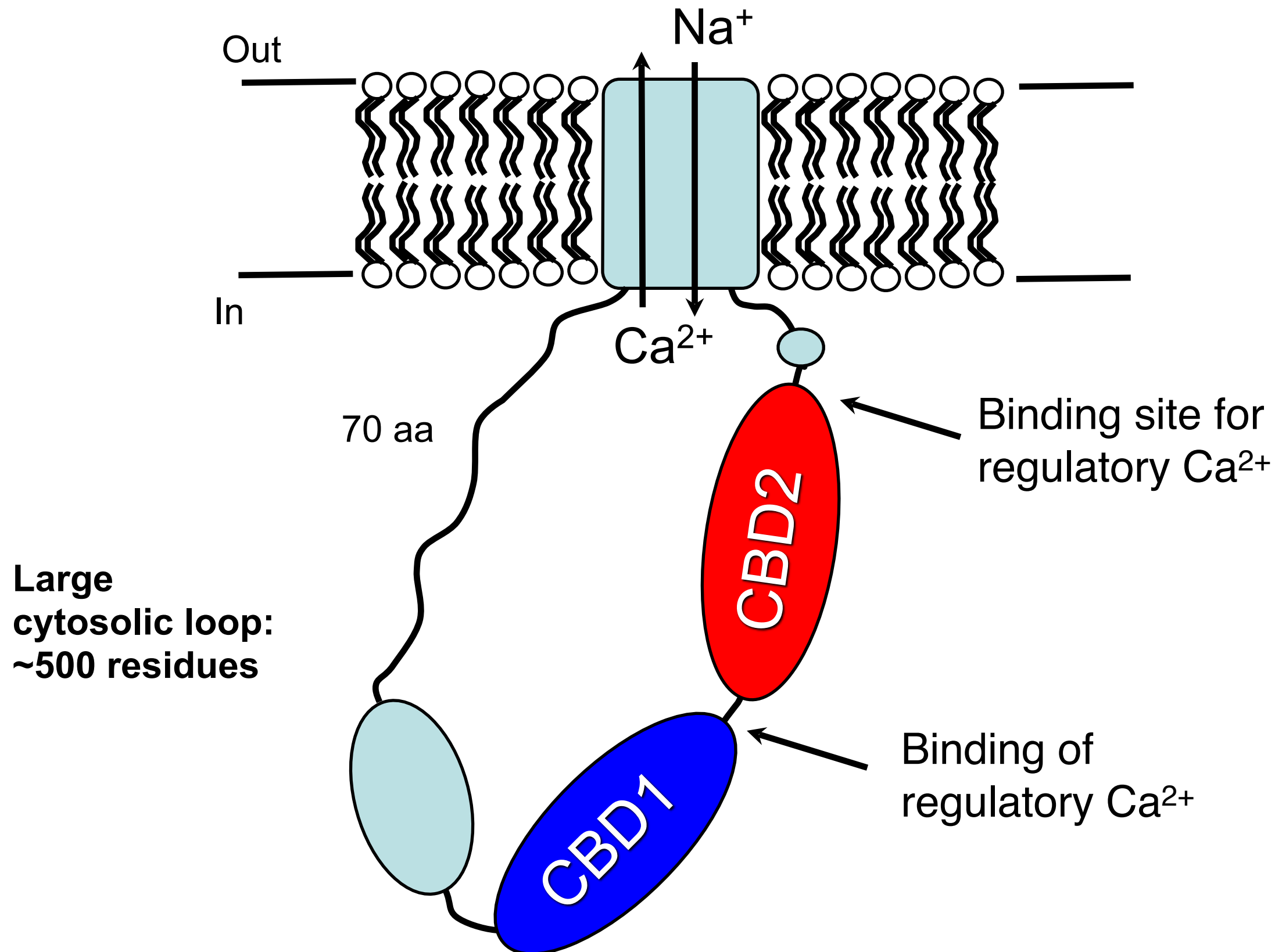


VirB9 is  $^{13}\text{C}$ ,  $^{15}\text{N}$  labelled  
The peptide is unlabelled

Obs: This structure is being calculated using Cyana, water refinement in CNS, protein-peptide NOEs were obtained from the analysis of filtered 2D NOE experiments, and  $^{13}\text{C}$  separated NOESY

## **Example 2: The Na/Ca exchanger**

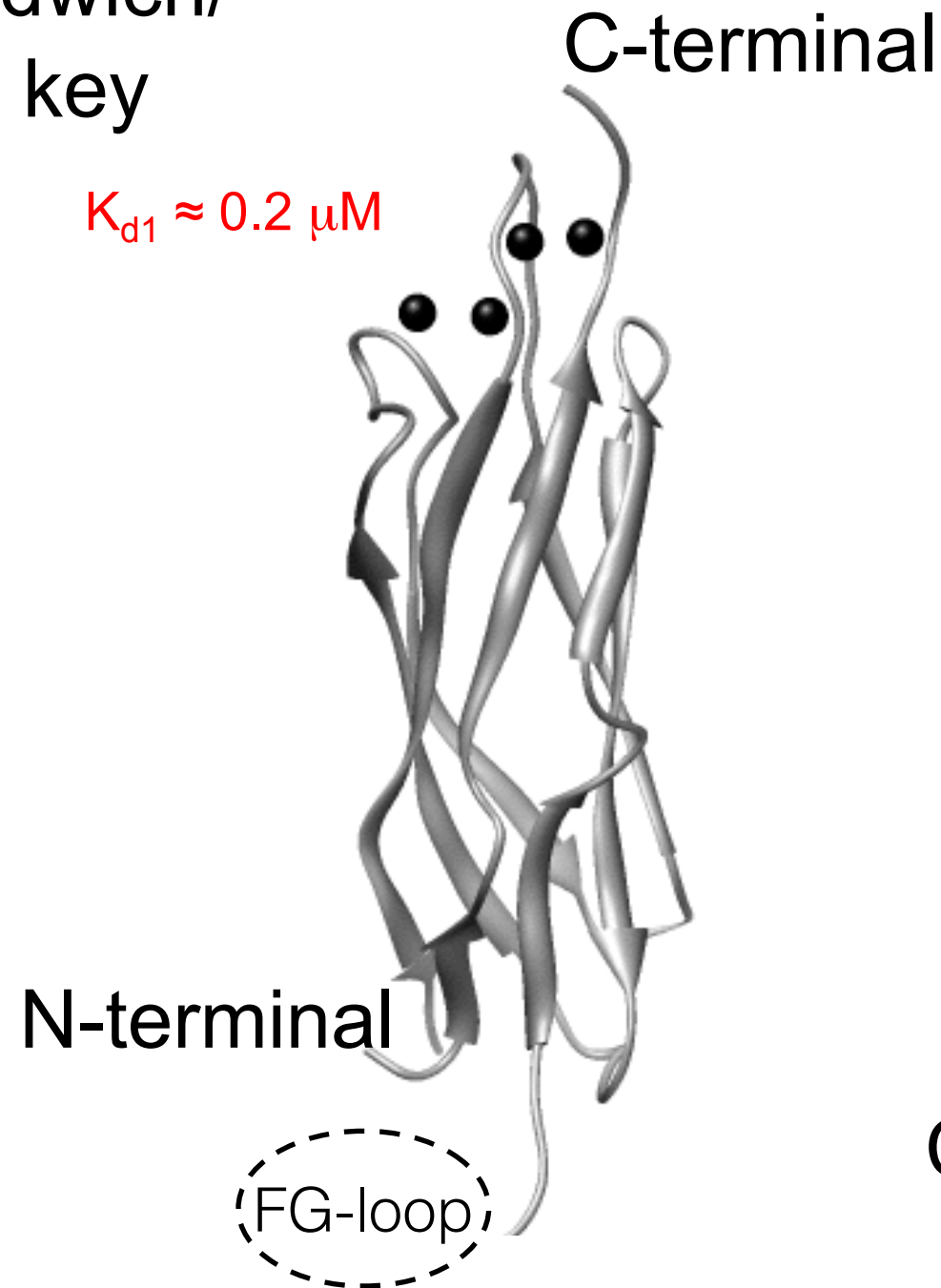
# How does the binding of regulatory $\text{Ca}^{2+}$ to the cytoplasmic domain regulate the exchanger?



# X-ray crystal structures of $\text{Ca}^{2+}$ -bound forms of individual CBD1 & CBD1 domains

$\beta$ -sandwich/  
greek key  
motif

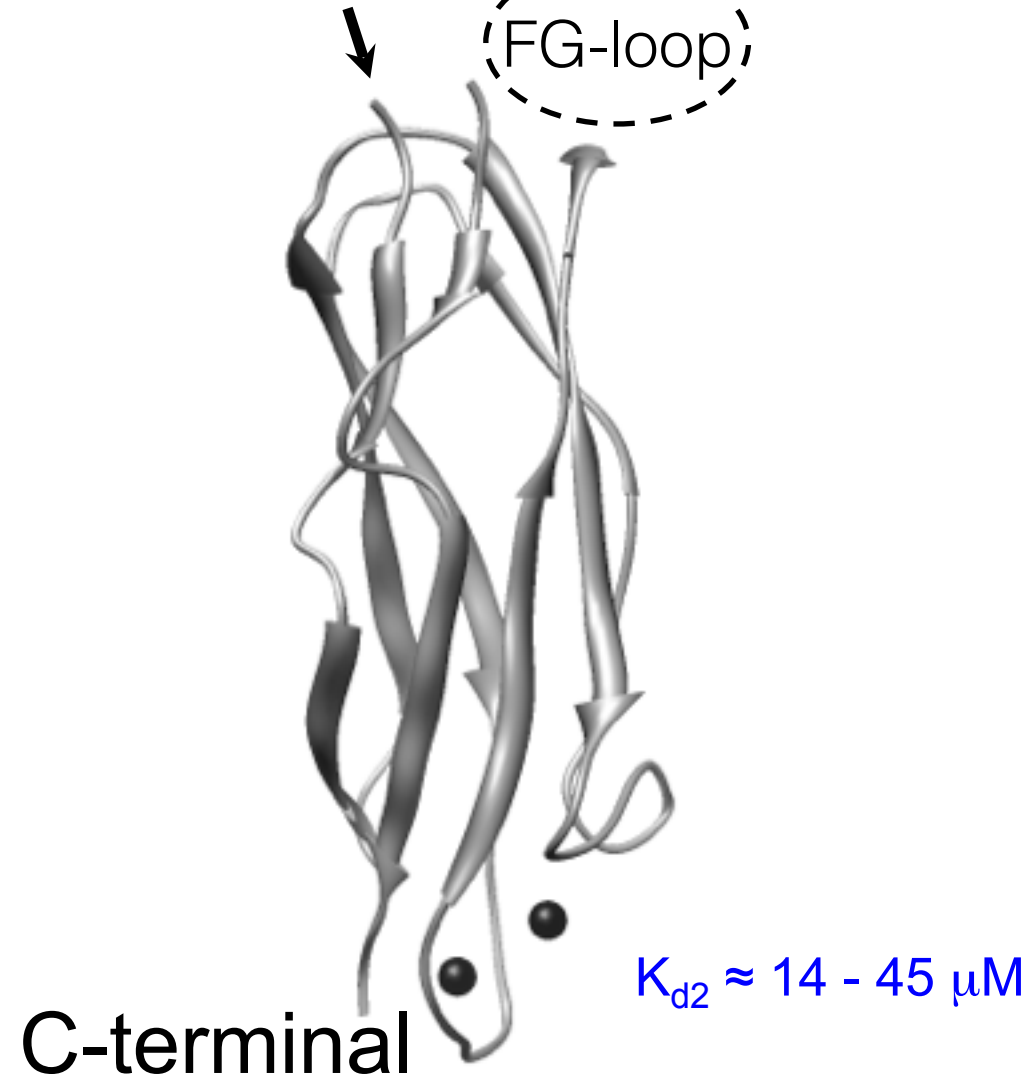
$K_{d1} \approx 0.2 \mu\text{M}$



**CBD1** (2DPK)

N-terminal

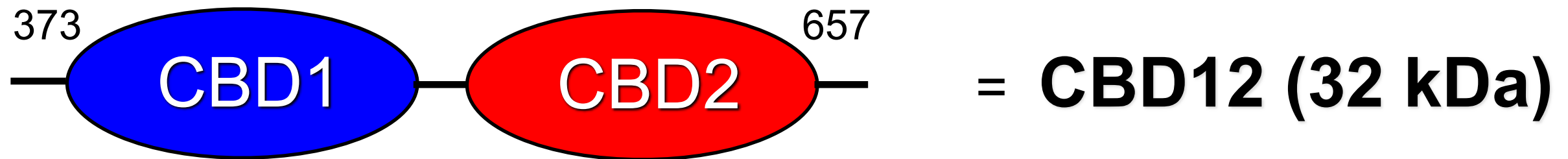
FG-loop



**CBD2** (2QVM)

# Characterization of cytosolic loop of the Na/Ca exchanger by solution NMR

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- How do CBD1 and CBD2 interact with each other?
- What is the effect of  $\text{Ca}^{2+}$ -binding on the structural dynamics of CBD12?

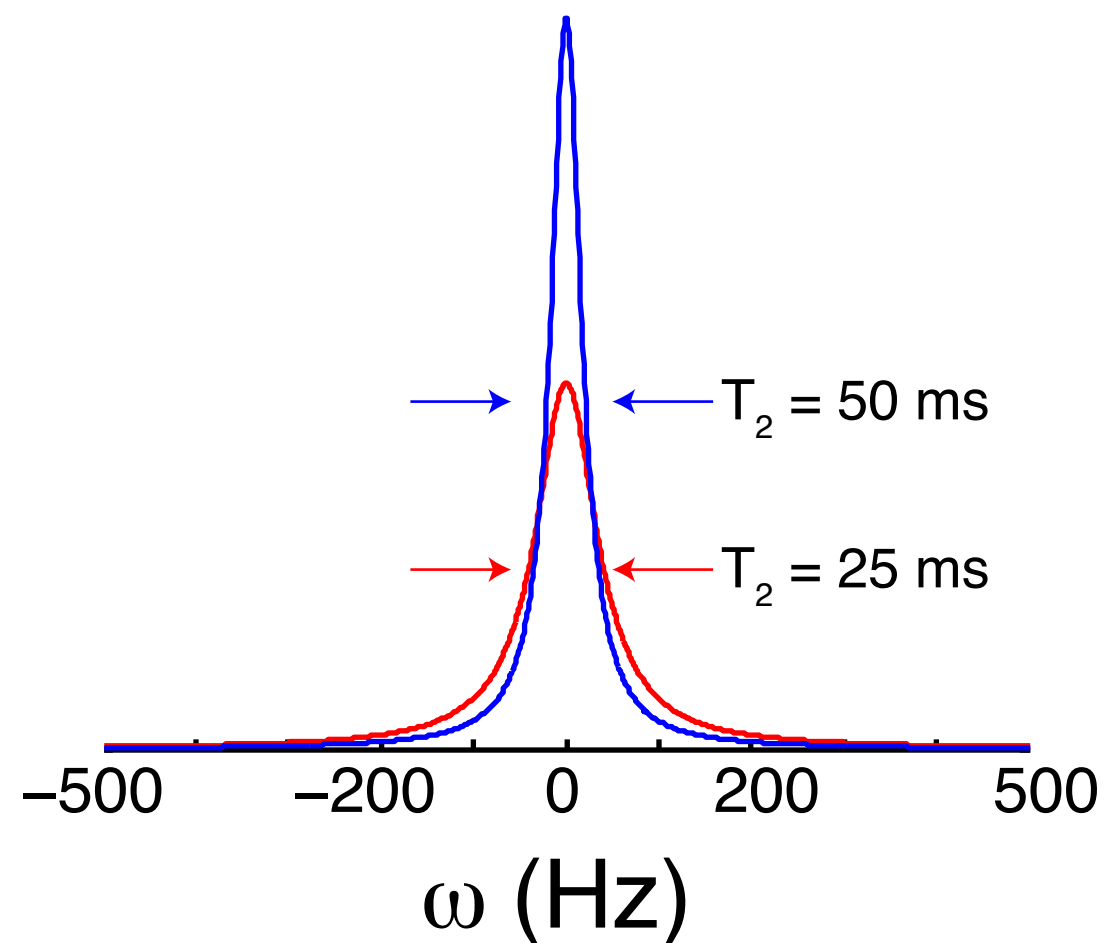
Characterization of the inter-domain structural dynamics of CBD12 by

*Chemical shift perturbation*

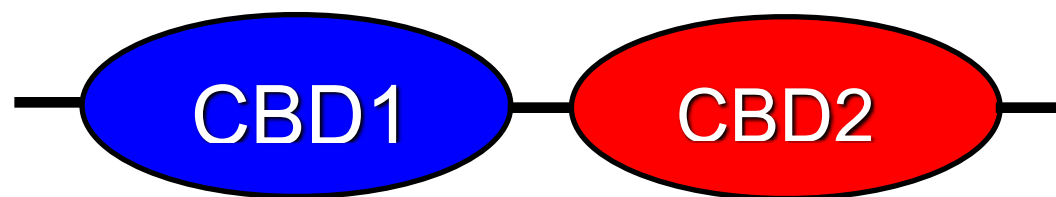
*$^{15}\text{N}$  spin relaxation*

*Residual dipolar couplings (RDCs)*

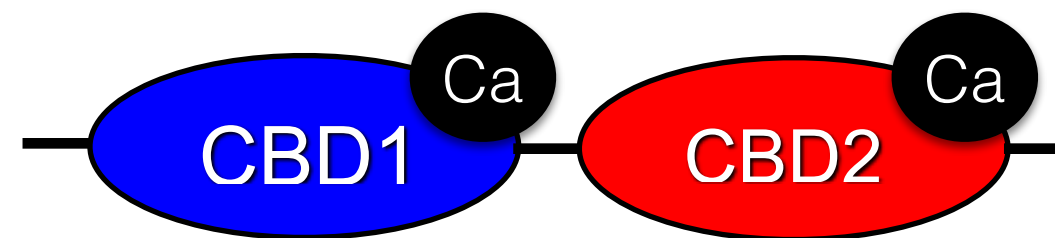
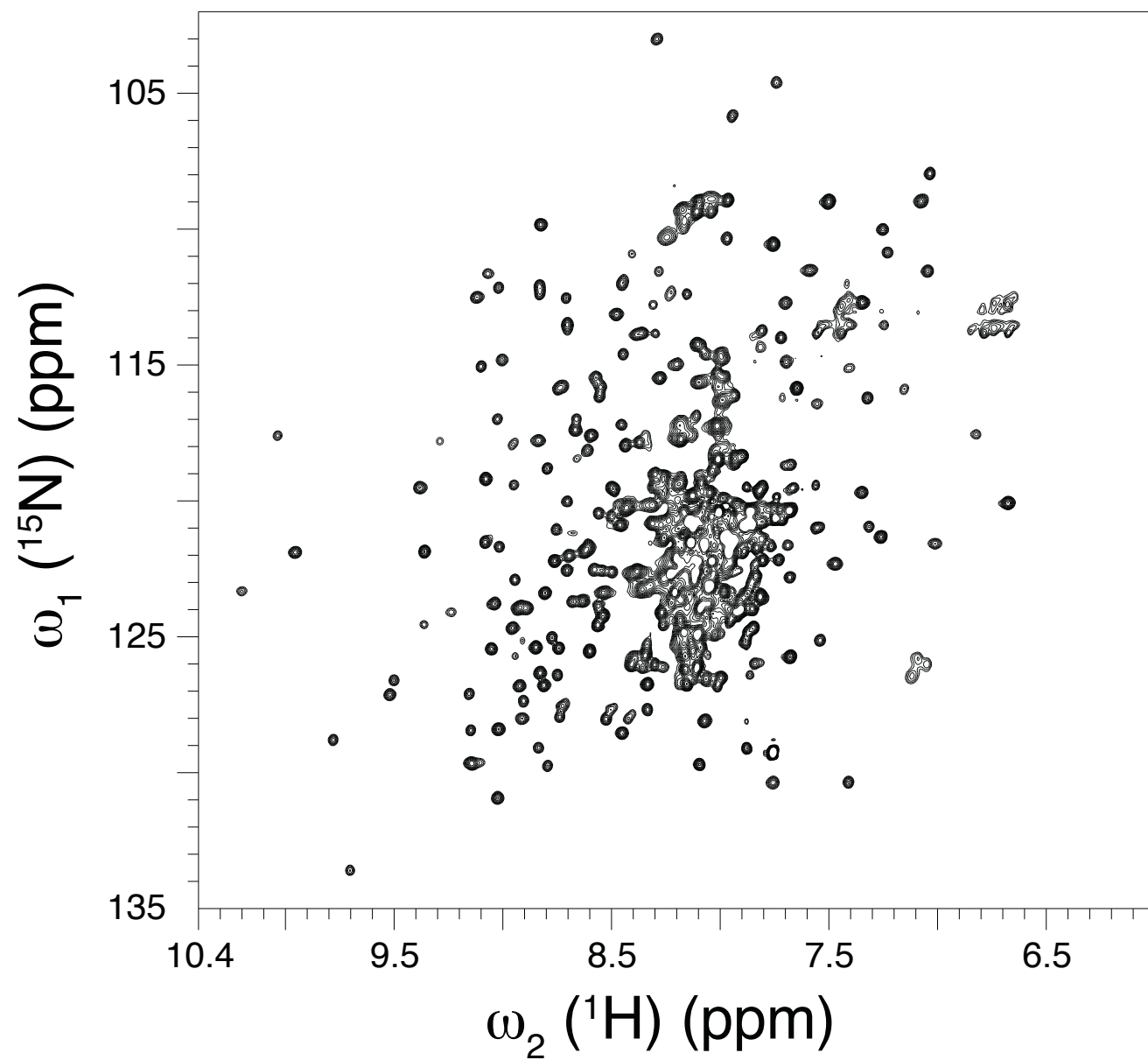
# Larger proteins display shorter $T_2$ relaxation times, which turns out to be a problem for NMR



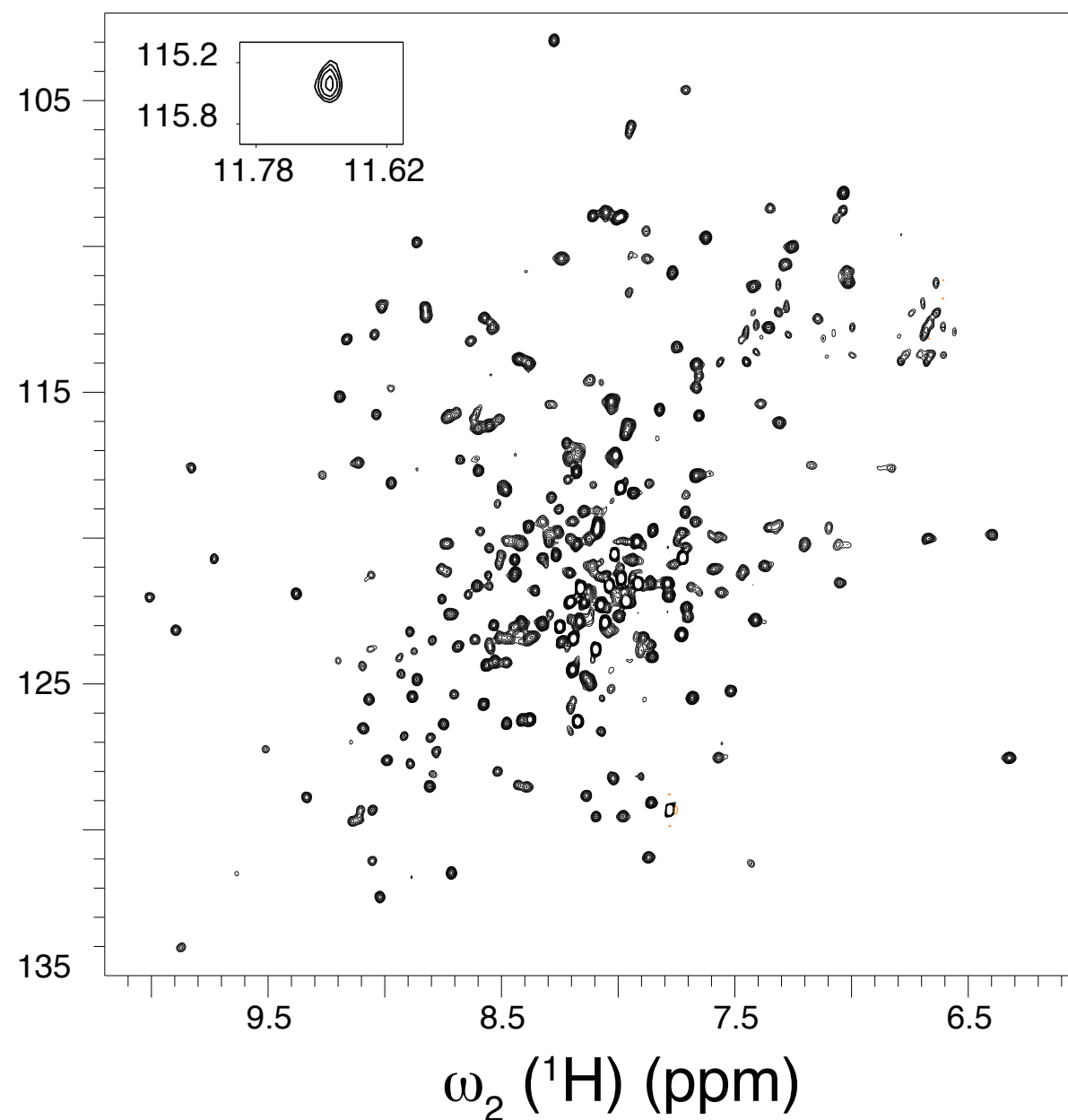
In order to increase  $T_2$ , CBD12 was randomly fractionally deuterated by growing *E. coli* cells in  $D_2O$



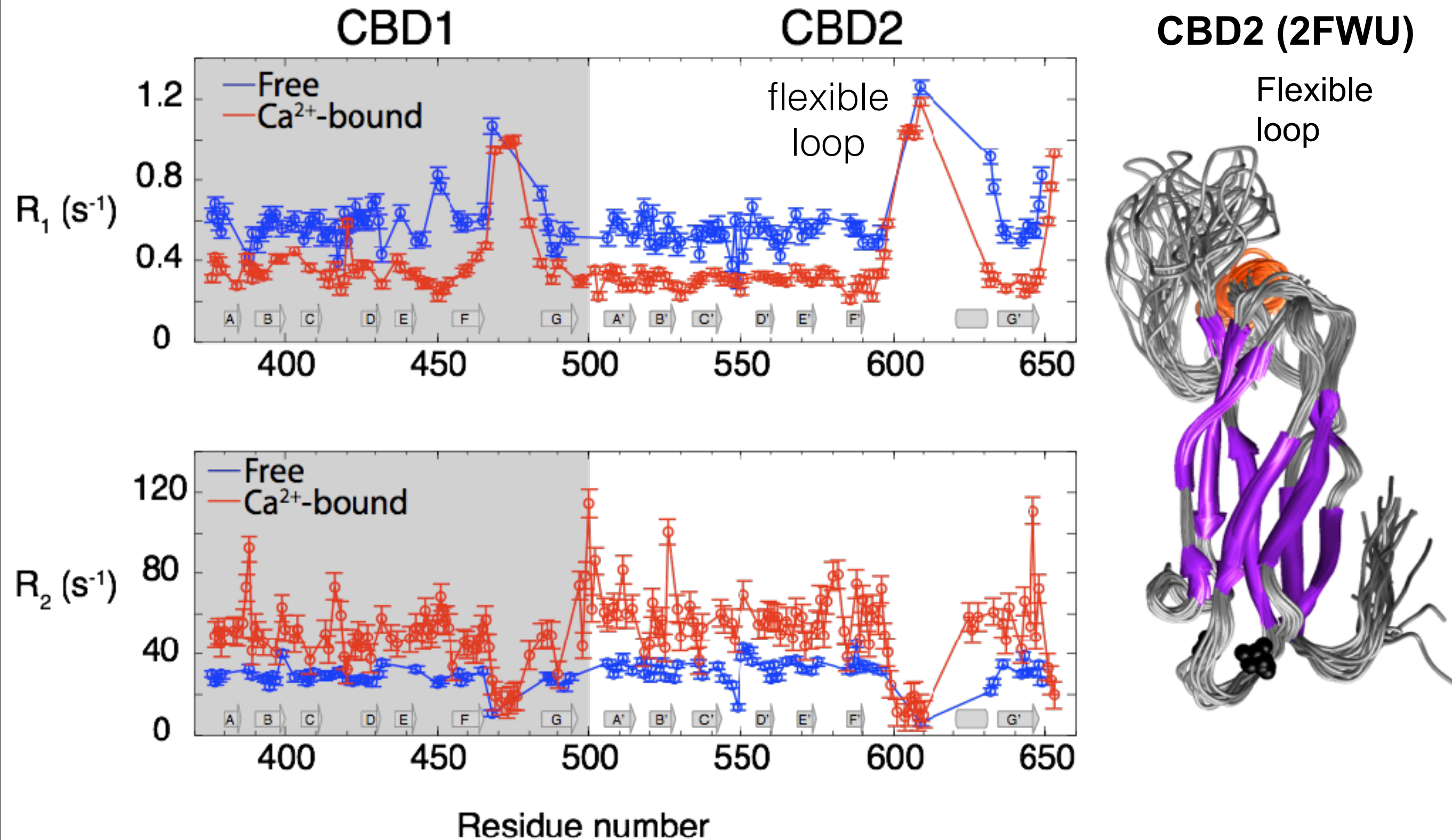
**APO**



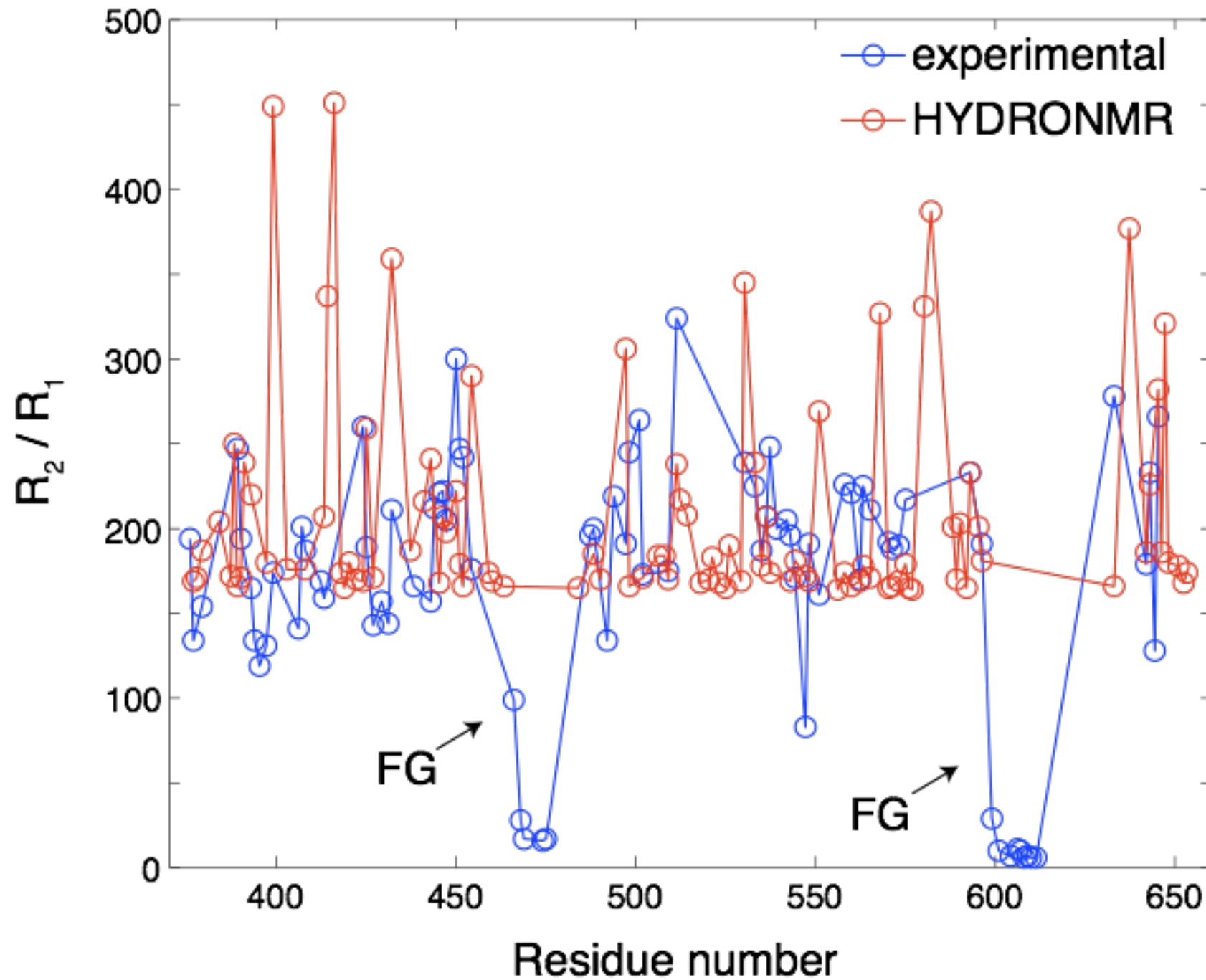
**+ Ca<sup>2+</sup>**



# Backbone $^{15}\text{N}$ longitudinal ( $R_1$ ) and transverse ( $R_2$ ) relaxation rates



The ratios  $^{15}\text{N}$   $T_1/T_2$  of rigid HN bond vectors are approximately independent of the internal dynamics and reflect the overall tumbling correlation time



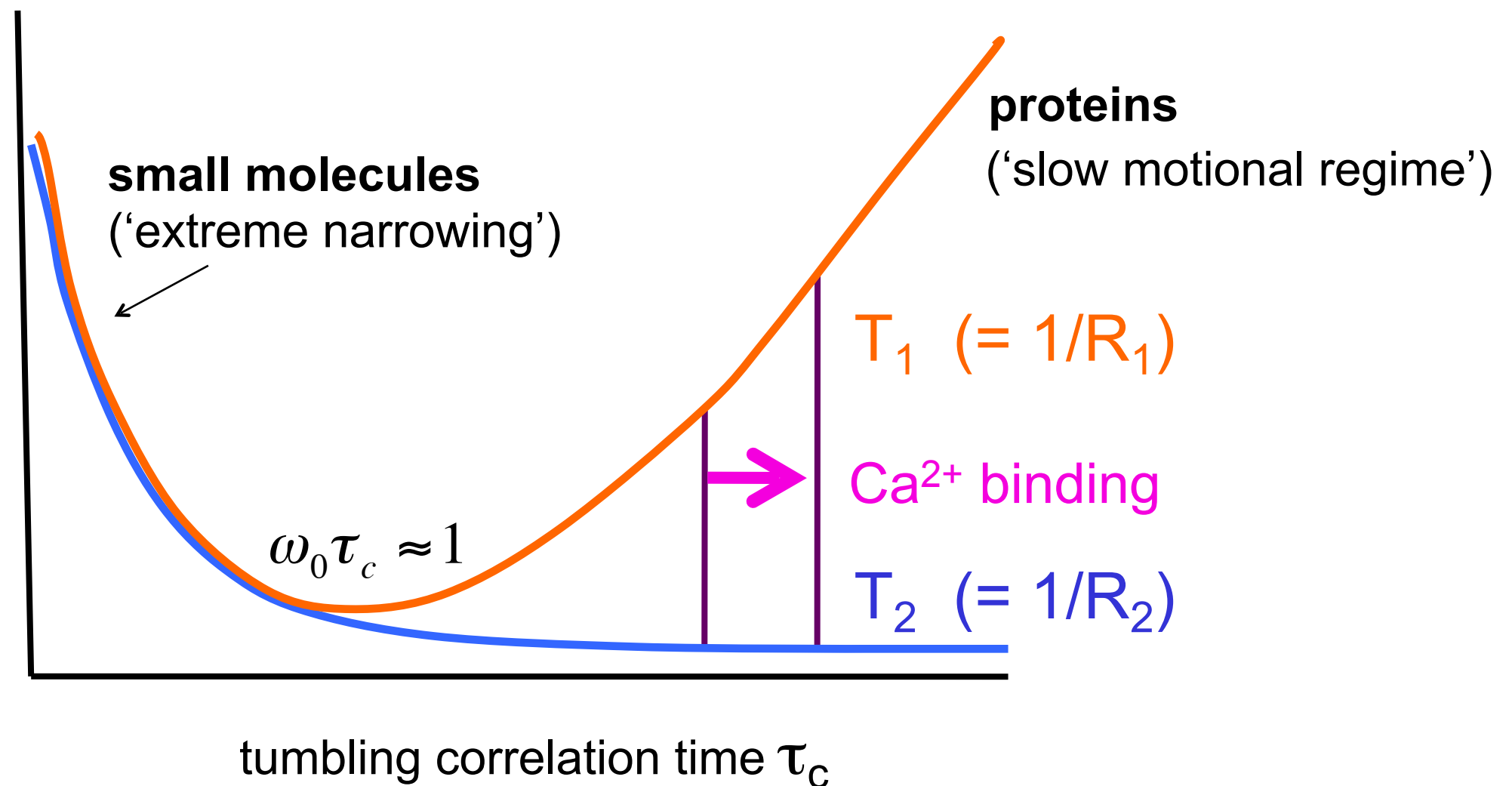
The ratio of R2/R1 for rigid HN bond vectors allows an estimation of the isotropic overall tumbling time

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| CBD12                         | CBD1: $\tau_c$ (ns) | CBD2: $\tau_c$ (ns) |
|-------------------------------|---------------------|---------------------|
| apo state                     | $16.9 \pm 1.7$      | $18.7 \pm 1.4$      |
| Ca <sup>2+</sup> -bound CBD12 | $30.2 \pm 4.6$      | $33.3 \pm 3.8$      |
| Isolated domains (apo states) | $11.03 \pm 0.02$    | $11.4 \pm 2.3$      |

→ Overall tumbling correlation time of CBD12 ~doubles upon Ca<sup>2+</sup> binding

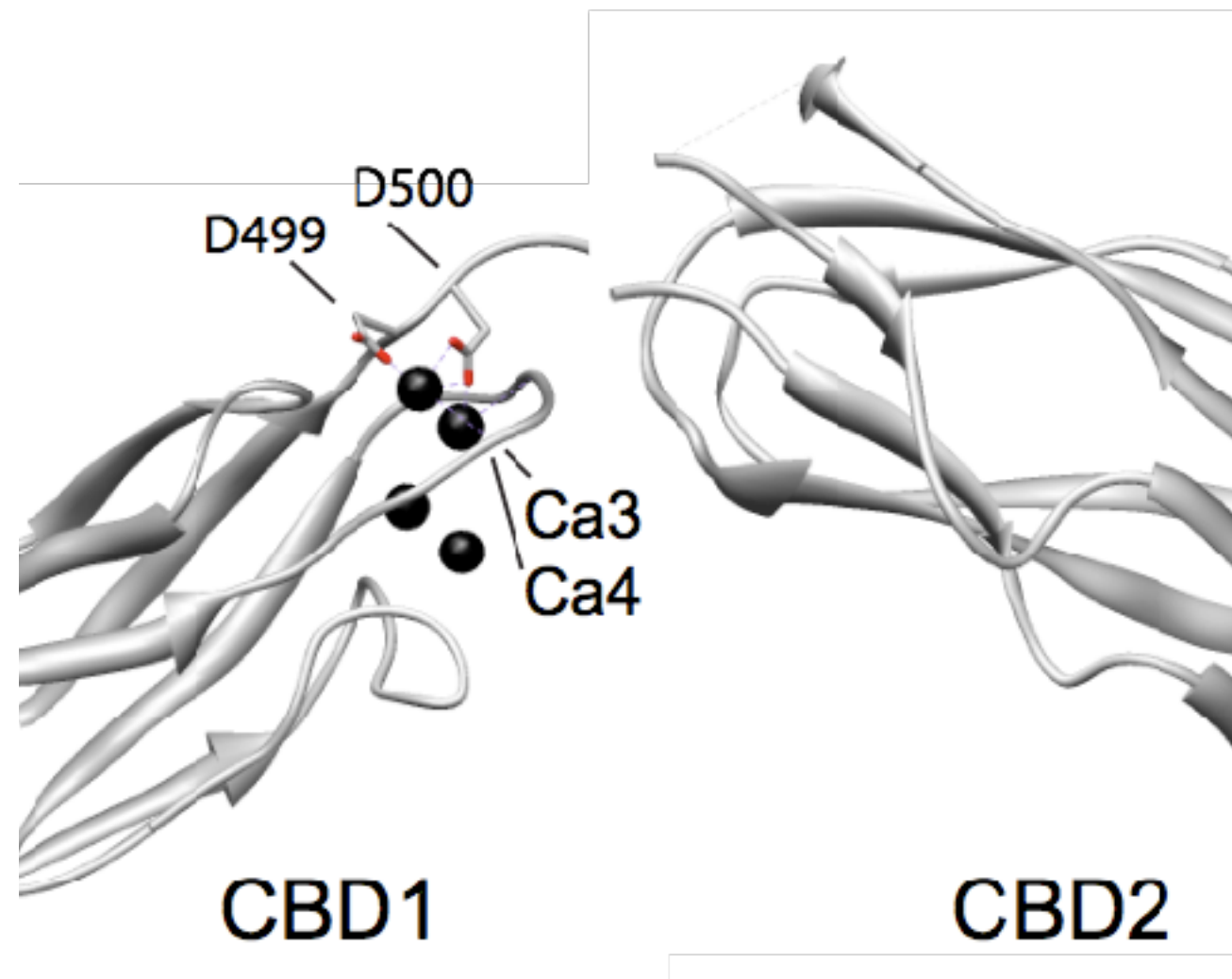
# Dependence of $T_1$ and $T_2$ on molecular size



$\text{Ca}^{2+}$  binding substantially slows down overall tumbling dynamics

$\text{Ca}^{2+}$ -binding rigidifies the linker and increases the dynamic coupling between CBD1 and CBD2

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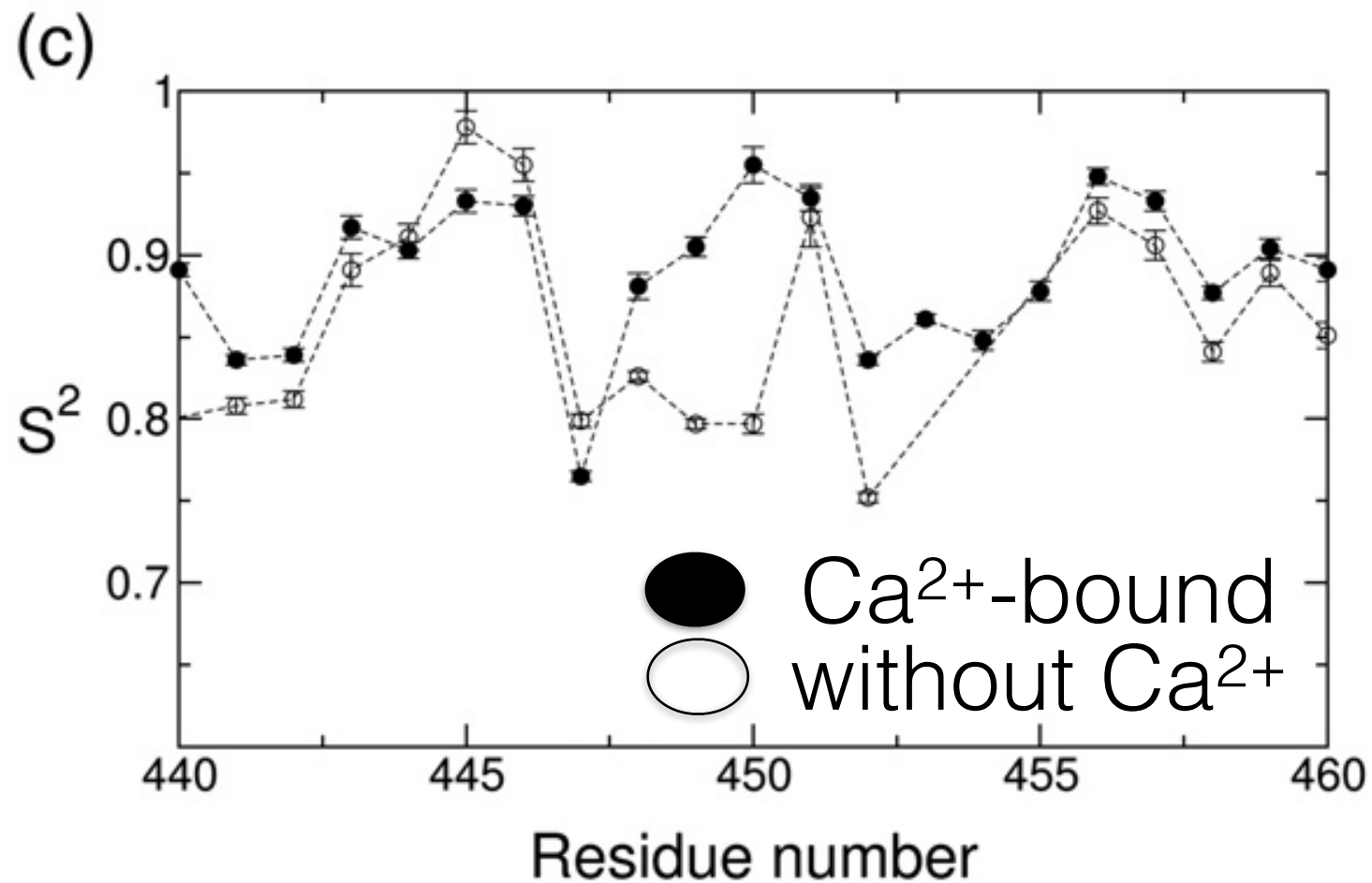
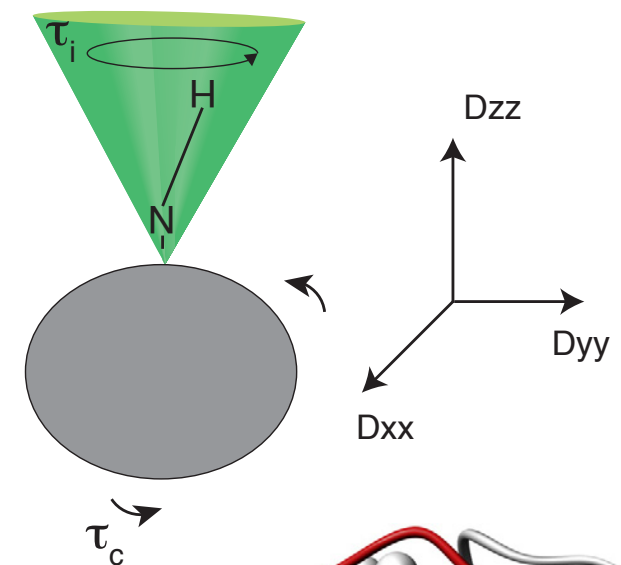


# Quantitative analysis: The model-free formalism

$$J(\omega) = \frac{2}{5} \left[ S^2 \frac{\tau_c}{1 + (\omega\tau_c)^2} + (1 - S^2) \frac{\tau_i}{1 + (\omega\tau_i)^2} \right]$$

$$\tau^{-1} = \tau_c^{-1} + \tau_i^{-1} \quad \text{isotropic tumbling}$$

$$C_{total}(t) = C_{overall}(t) \cdot C_{Internal}(t)$$



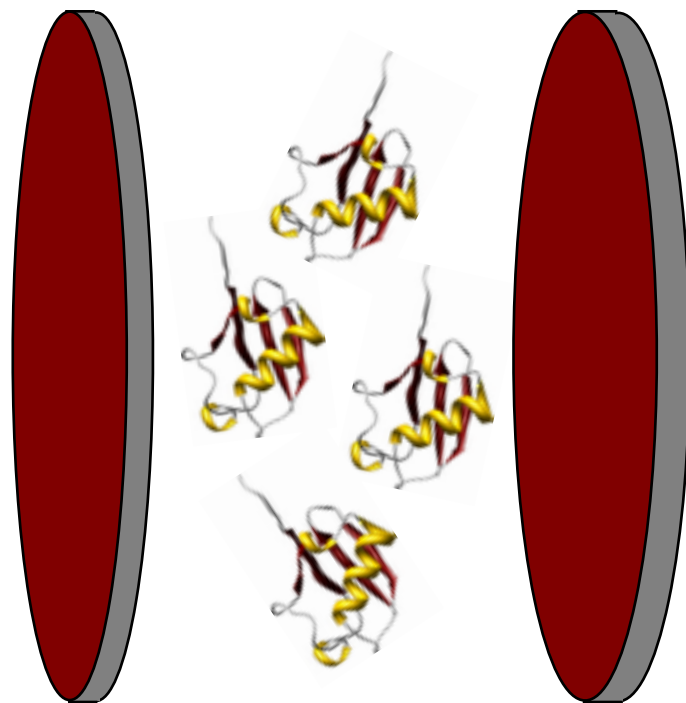
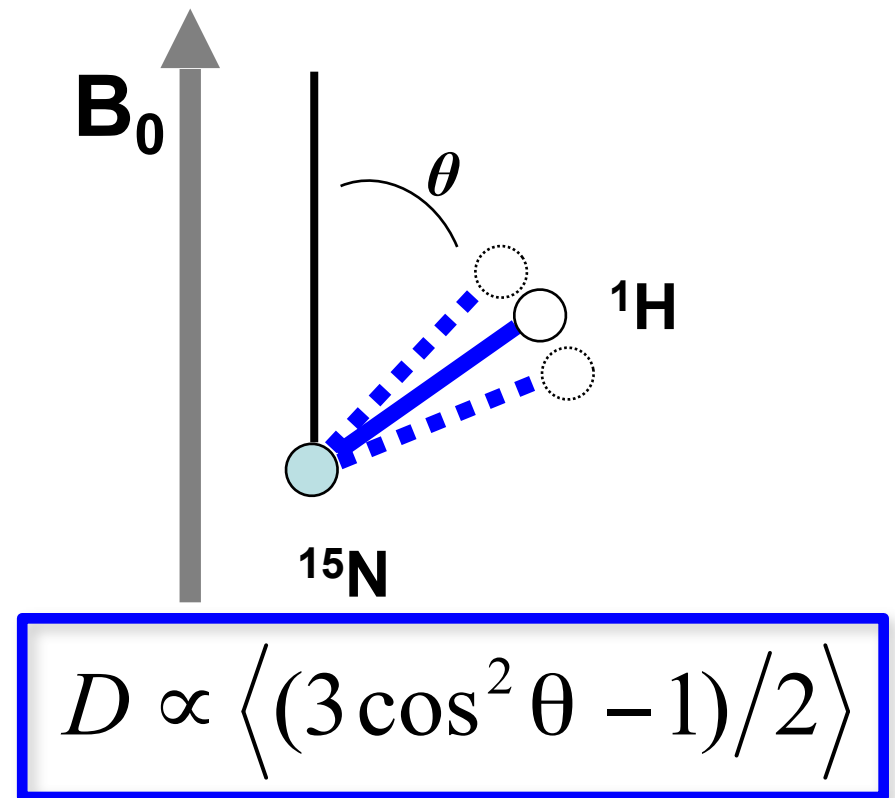
Johnson et al. (2008) J. Mol. Biol. 377: 945

Lipari and Szabo (1982) JACS 104: 4546

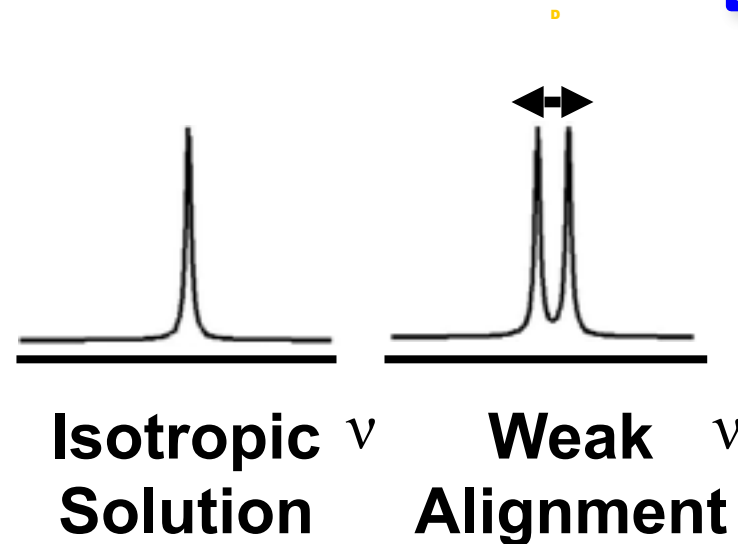
# Residual dipolar couplings (RDCs)

$$\Delta\omega = \frac{\hbar\gamma_I\gamma_S}{r^3} (3\cos^2\theta(t) - 1) = D_{\max} \frac{1}{2} (3\cos^2\theta(t) - 1)$$

$D_{\max} \sim 21$  kHz for a  $^1\text{H}^{15}\text{N}$  bond vector

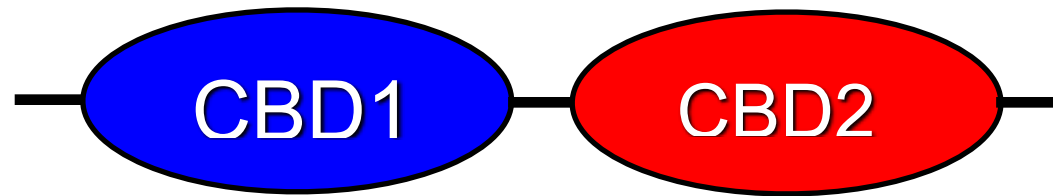


*weakly aligned*



- **RDCs reflect both average structure AND fast & slow motions:**
  - ps – ms motions
  - no explicit time-scale dependence

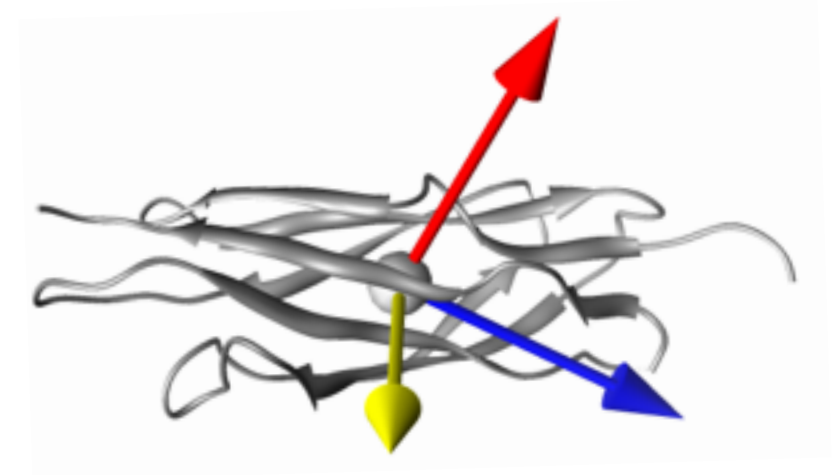
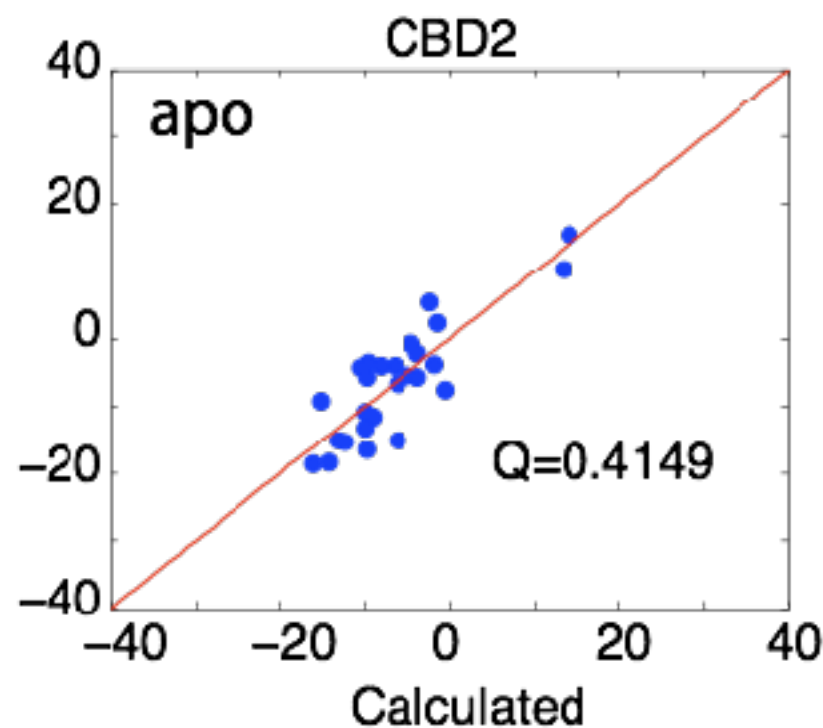
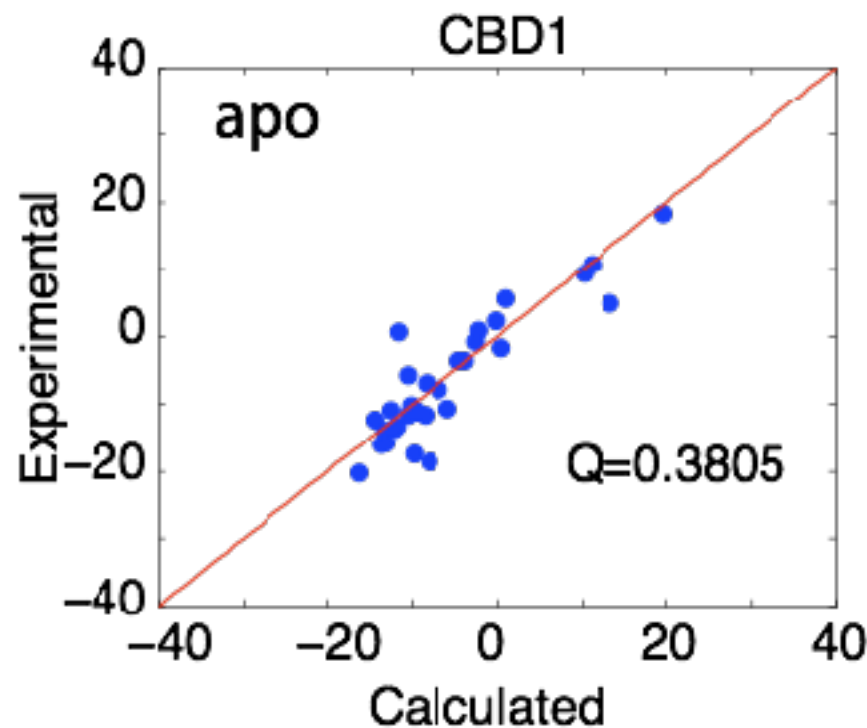
# One-bond backbone $^1\text{H}$ - $^{15}\text{N}$ residual dipolar couplings (RDCs) of CBD12 partially aligned in compressed polyacrylamide gel



$$D^{NH} = D_{\max} \left[ A_a \frac{1}{2} (3 \cos^2(\theta) - 1) + A_r \frac{3}{4} \sin^2(\theta) \cos(2\phi) \right]$$

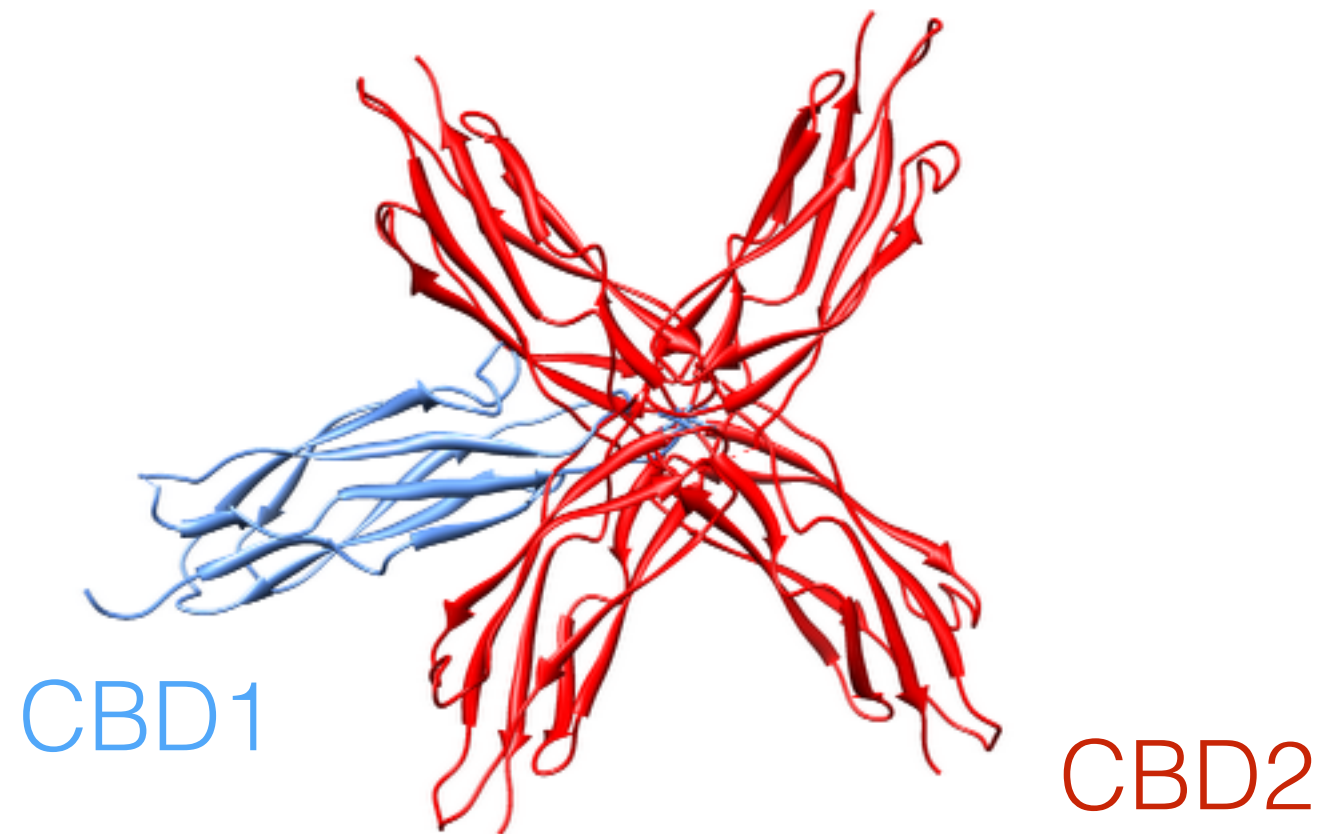
$$A_a = \frac{3}{2} A_{zz}$$

$$A_r = A_{xx} - A_{yy}$$



The  $^1\text{H}$ - $^{15}\text{N}$  dipolar couplings were measured on the two-domain construct, CBD12, and fitted on the crystal structures of isolated CBD1 and CBD2 in order to obtain the alignment tensor

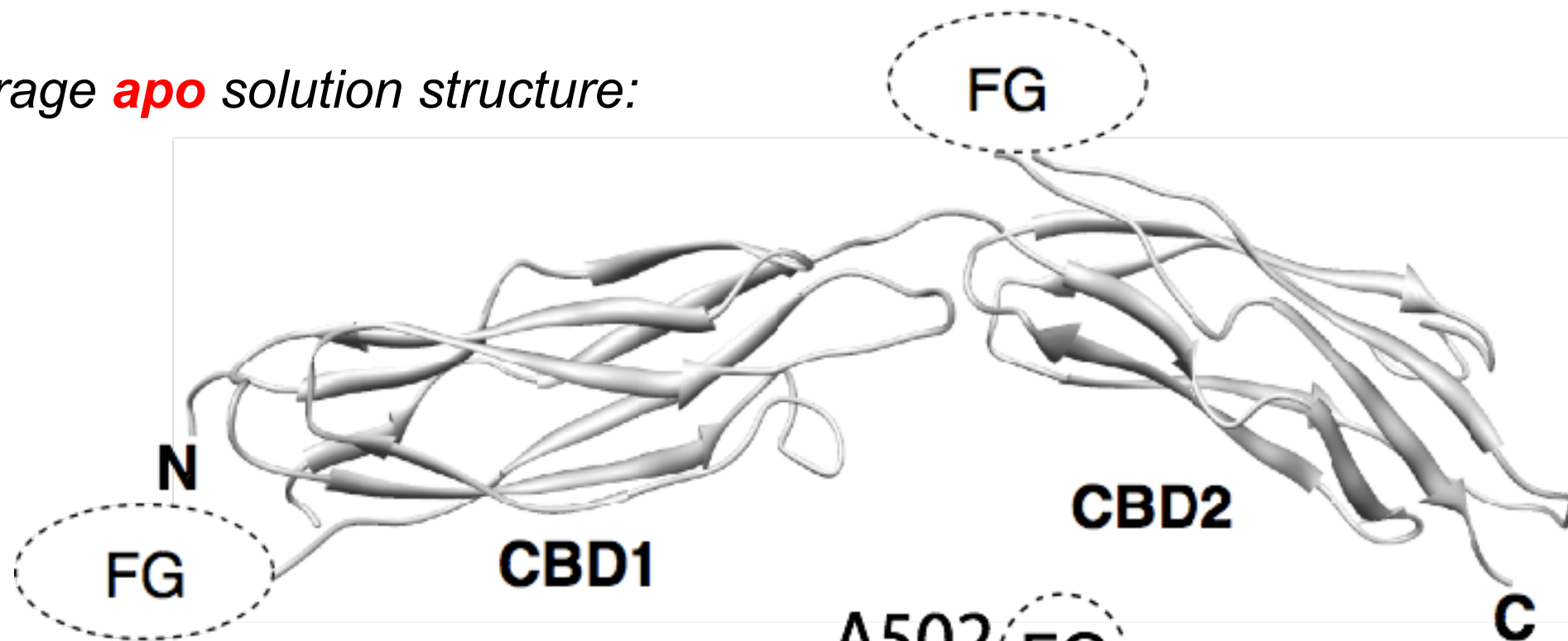
Rotation of CBD1 and CBD2 to the reference frame of the alignment tensor and translation of one with respect to the other generates 4 symmetric solutions



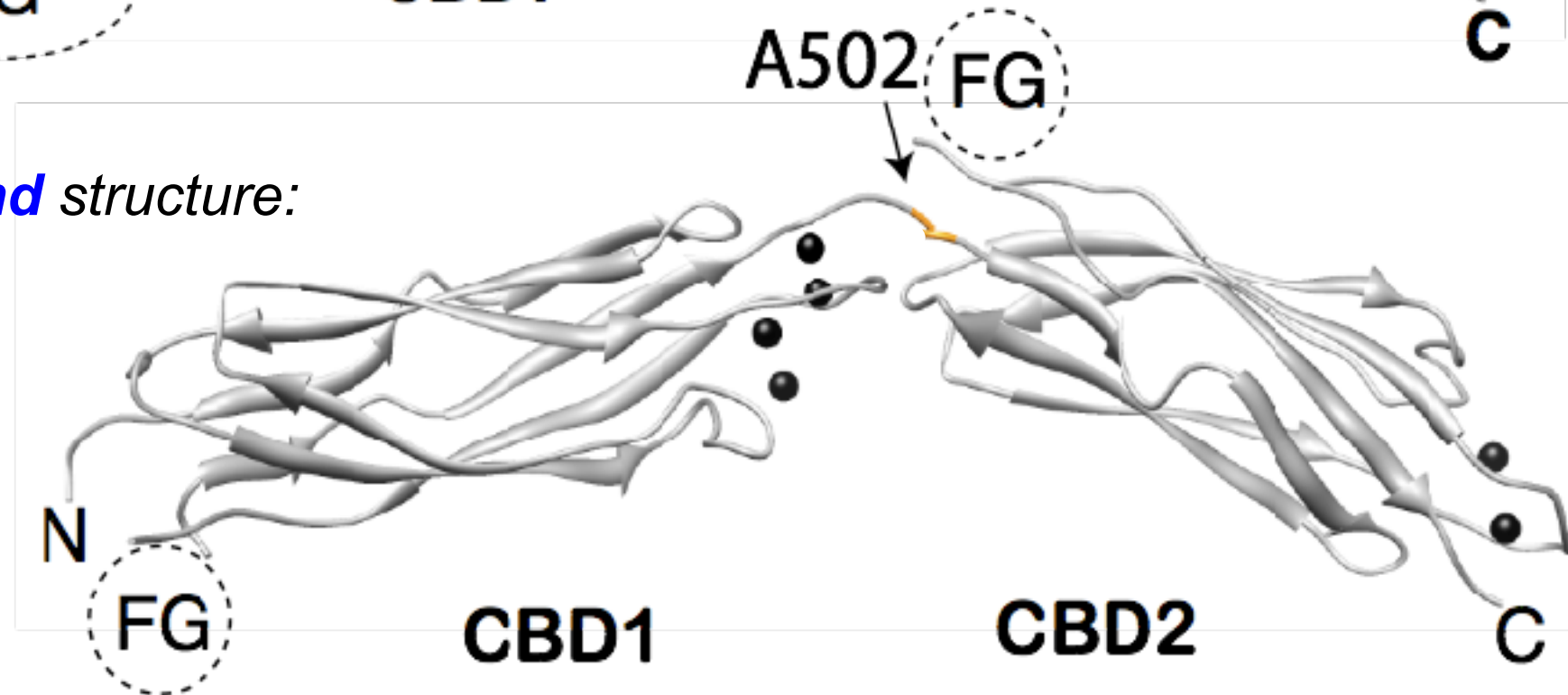
In the absence of data obtained with different alignment tensors we used a steric criteria to decide for the best solution

# The time and ensemble average orientation between CBD1 and CBD2 is elongated in the absence and presence of $\text{Ca}^{2+}$

Average **apo** solution structure:



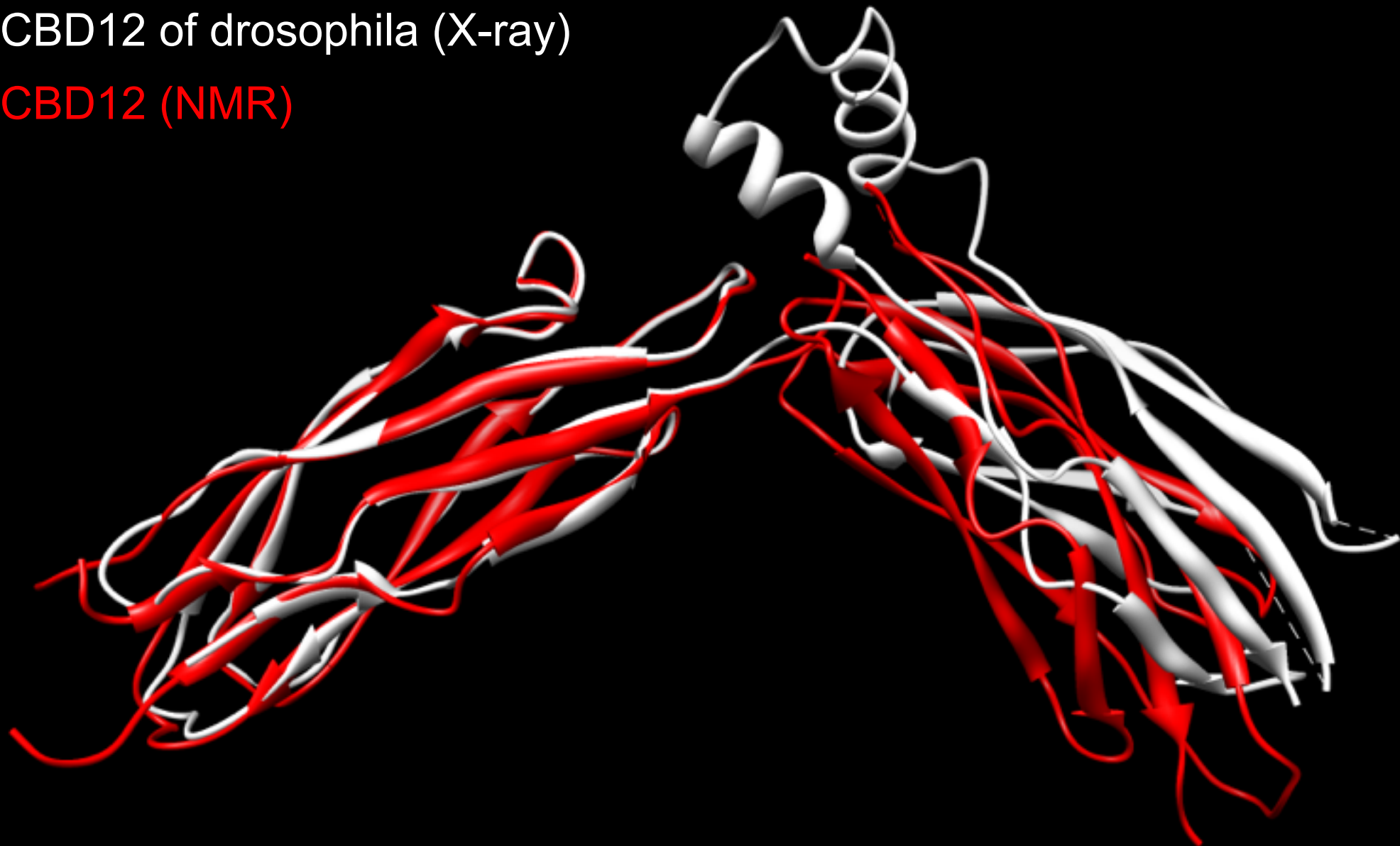
**$\text{Ca}^{2+}$ -bound** structure:



# Comparison between canine CBD12 and X-ray crystal structure of drosophila CBD12 (both Ca<sup>2+</sup> bound)

CBD12 of drosophila (X-ray)

CBD12 (NMR)



# RDC alignment tensors in compressed polyacrylamide gel

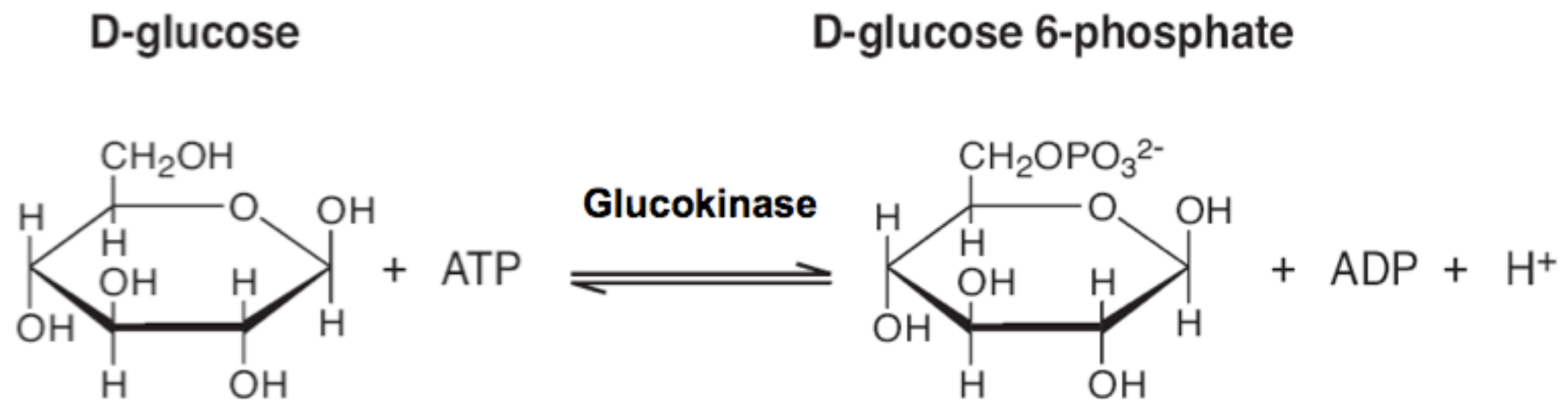
| CBD12                         | CBD1                                  | CBD2                                  |
|-------------------------------|---------------------------------------|---------------------------------------|
| apo state                     | Q = 0.38<br>D <sub>a</sub> = 12.23 Hz | Q = 0.41<br>D <sub>a</sub> = 12.04 Hz |
| Ca <sup>2+</sup> -bound state | Q = 0.18<br>D <sub>a</sub> = 24.05 Hz | Q = 0.41<br>D <sub>a</sub> = 25.29 Hz |

- Larger alignment tensor reflects a bulkier protein shape
- Bulky shape pertains up to millisecond time scale

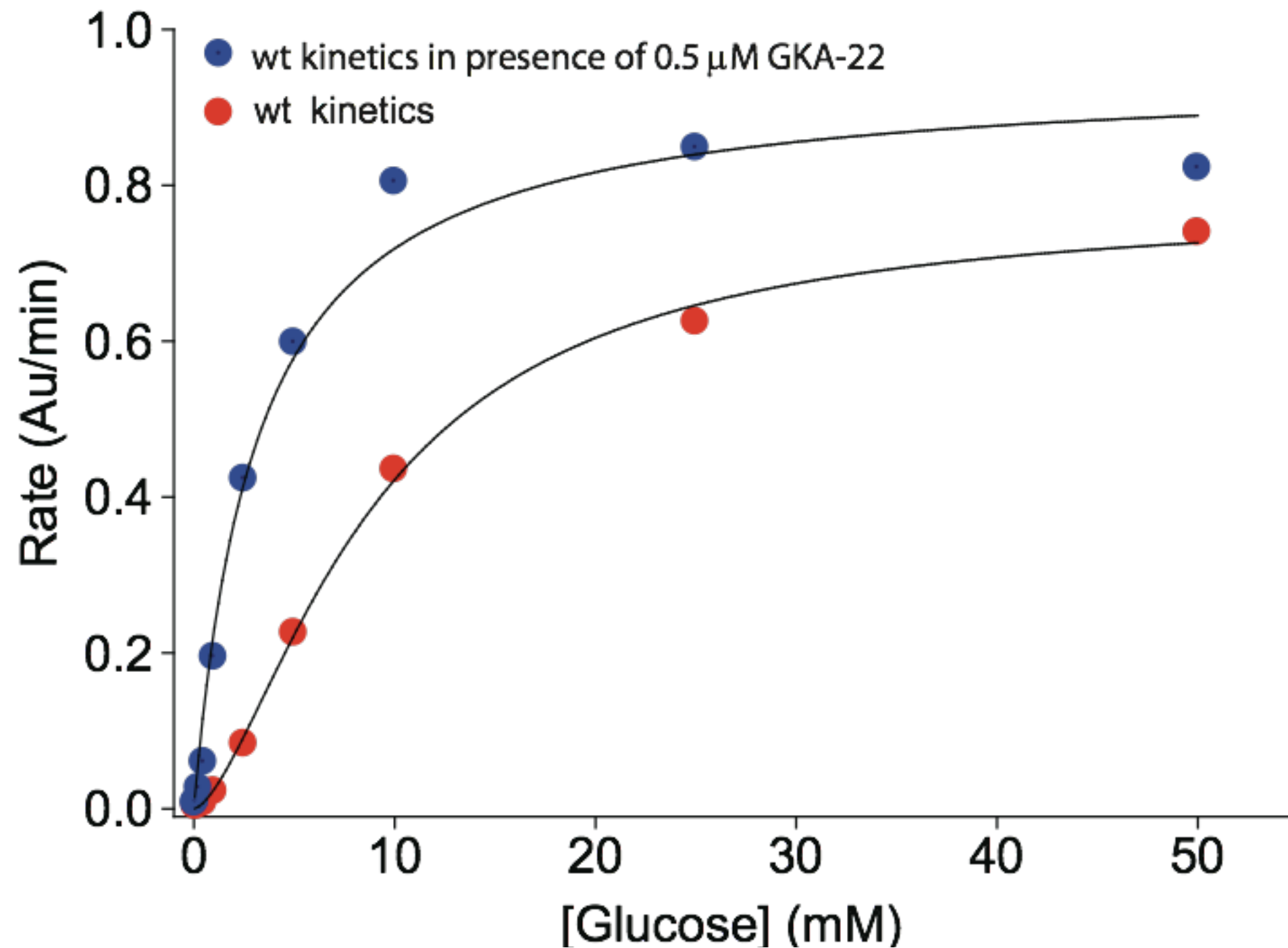
## **Example 3: Glucokinase**

## Working with larger proteins: glucokinase

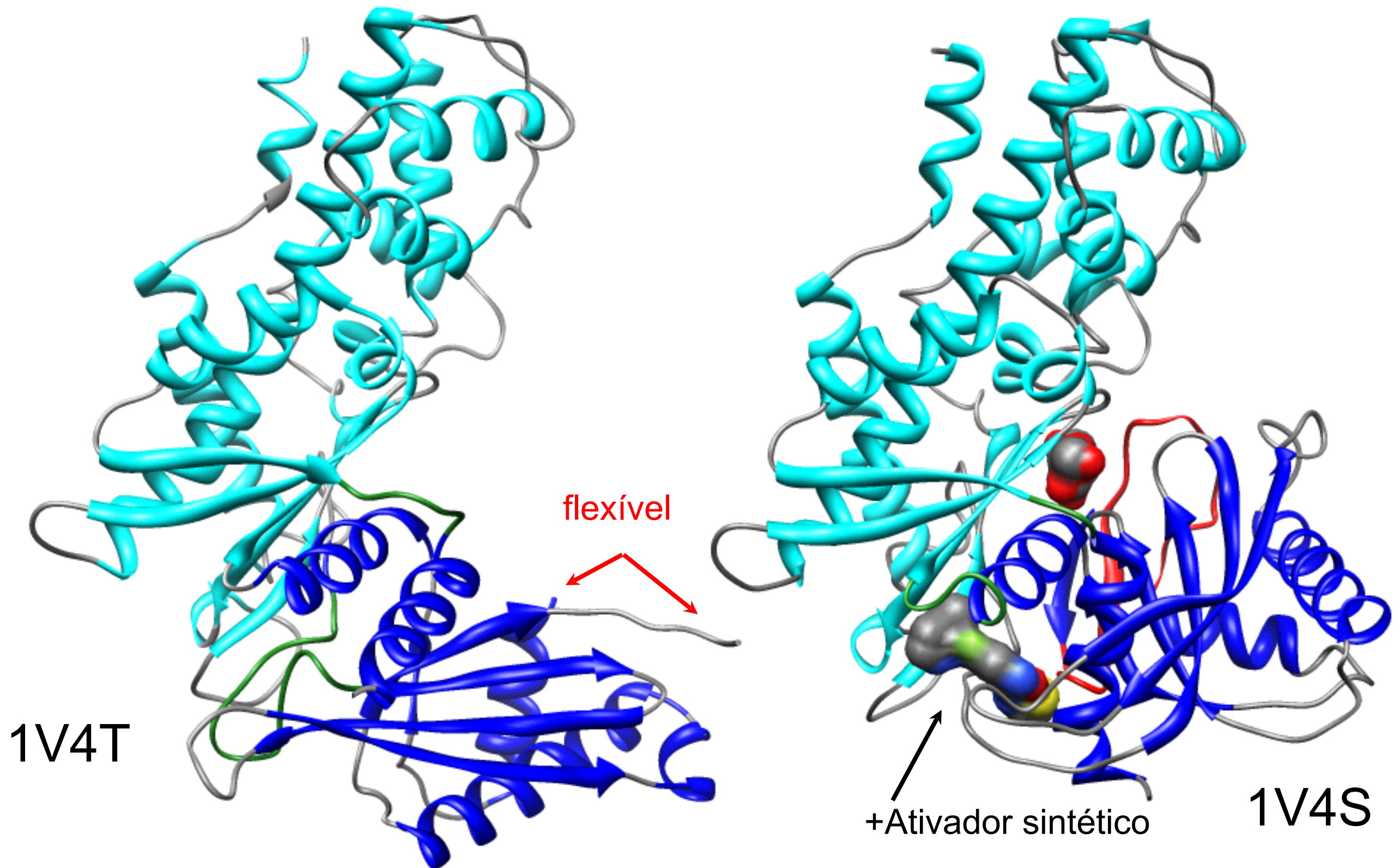
Glucokinase (hexokinase IV) is a key enzyme that catalyses the phosphorylation of glucose in the pancreas and liver



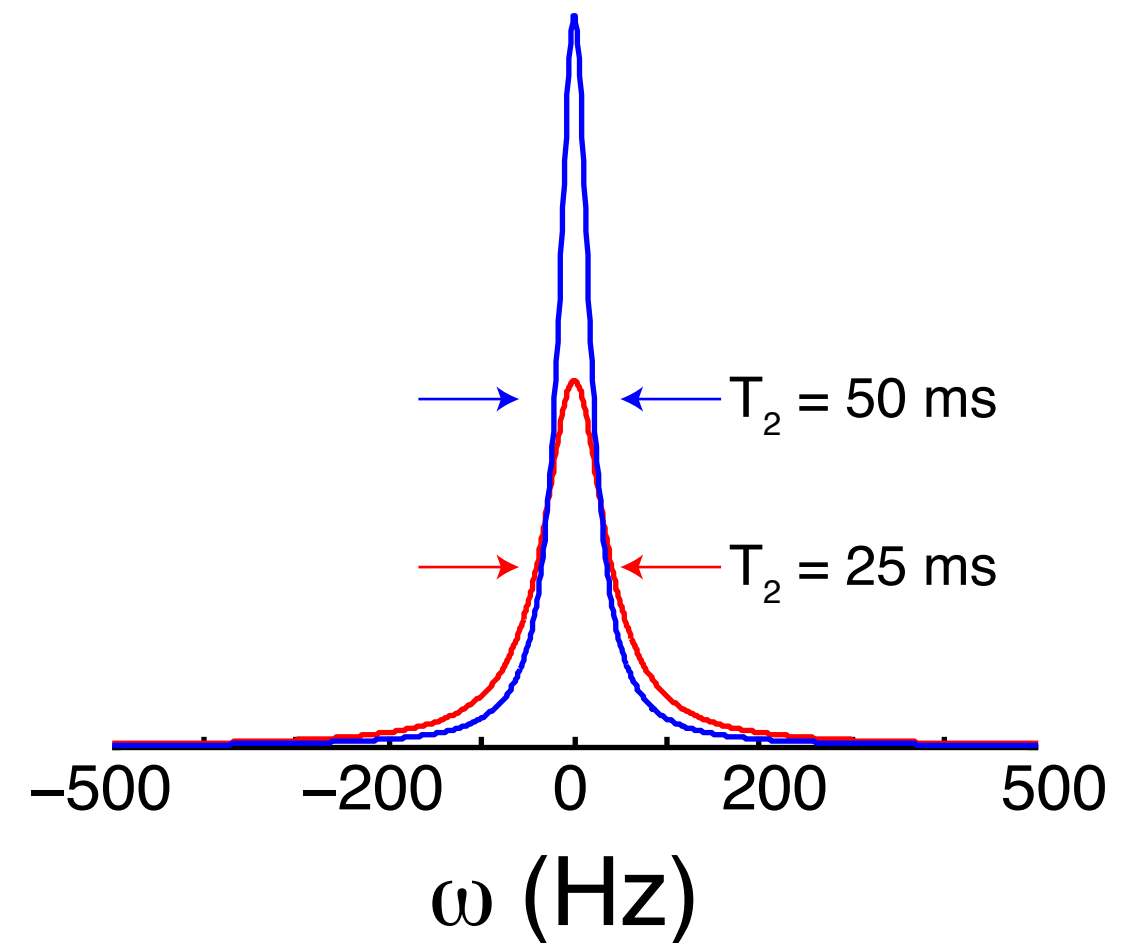
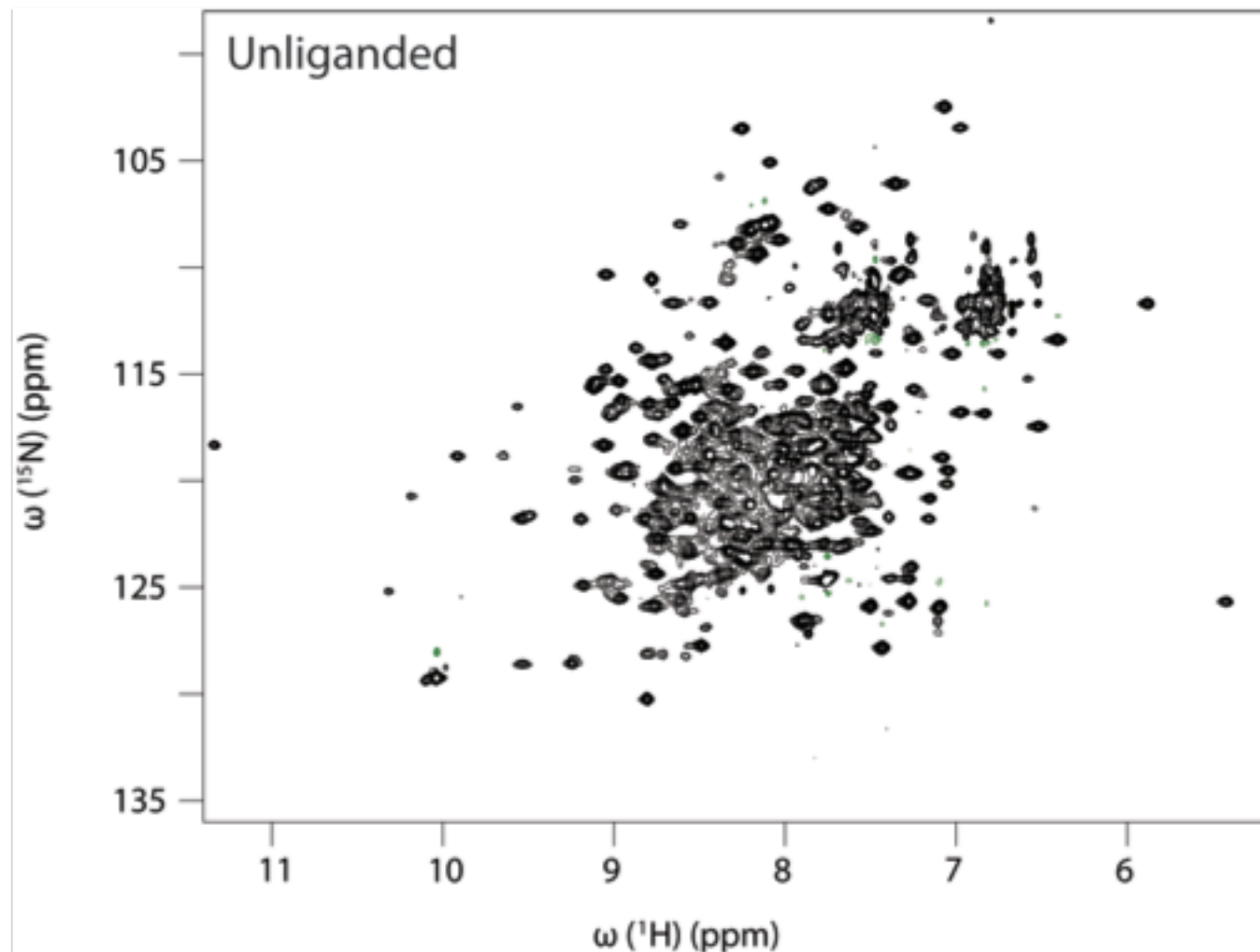
Glucokinase is a monomeric protein that displays kinetic cooperativity



Crystallographic structures show that glucokinase undergoes considerable conformational changes upon glucose binding but this does not fully explain the kinetic cooperativity

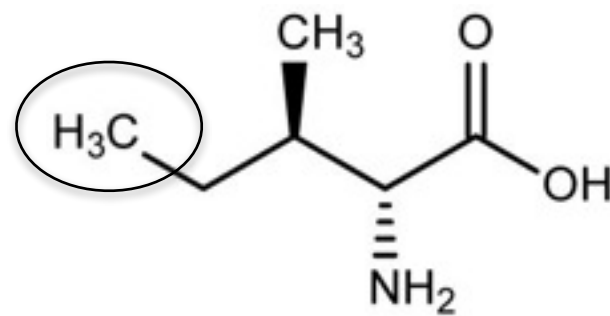
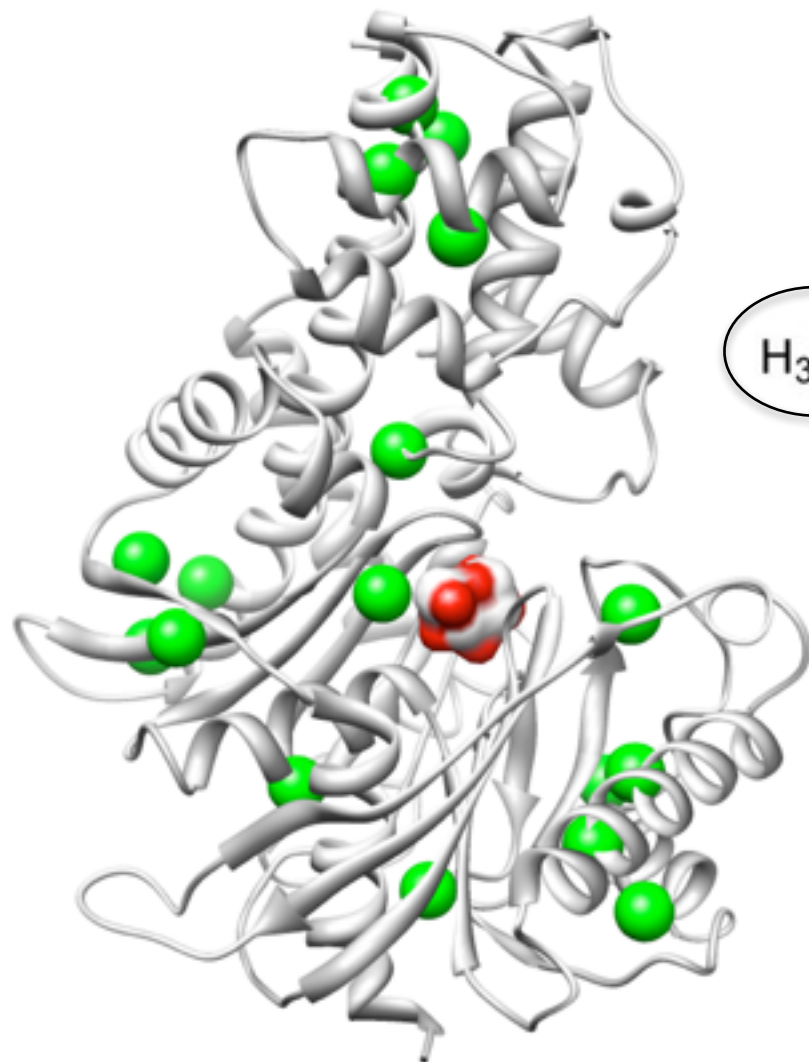


**NMR studies of large proteins such as glucokinase (52 kDa) suffer from severe spectral overlapping in addition to faster T<sub>2</sub> relaxation**

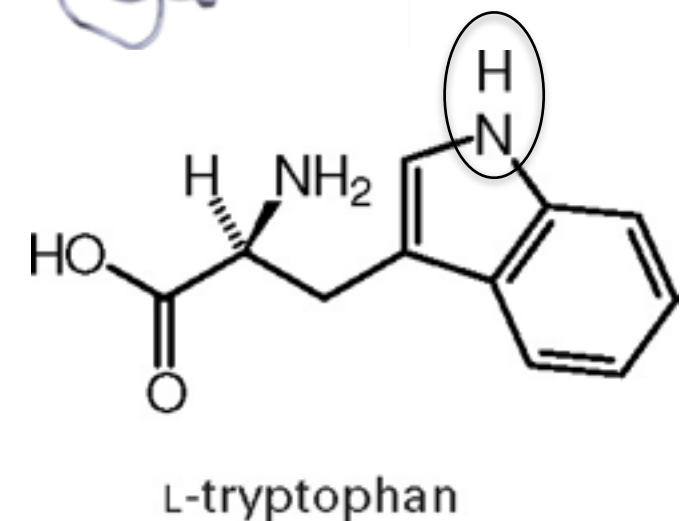
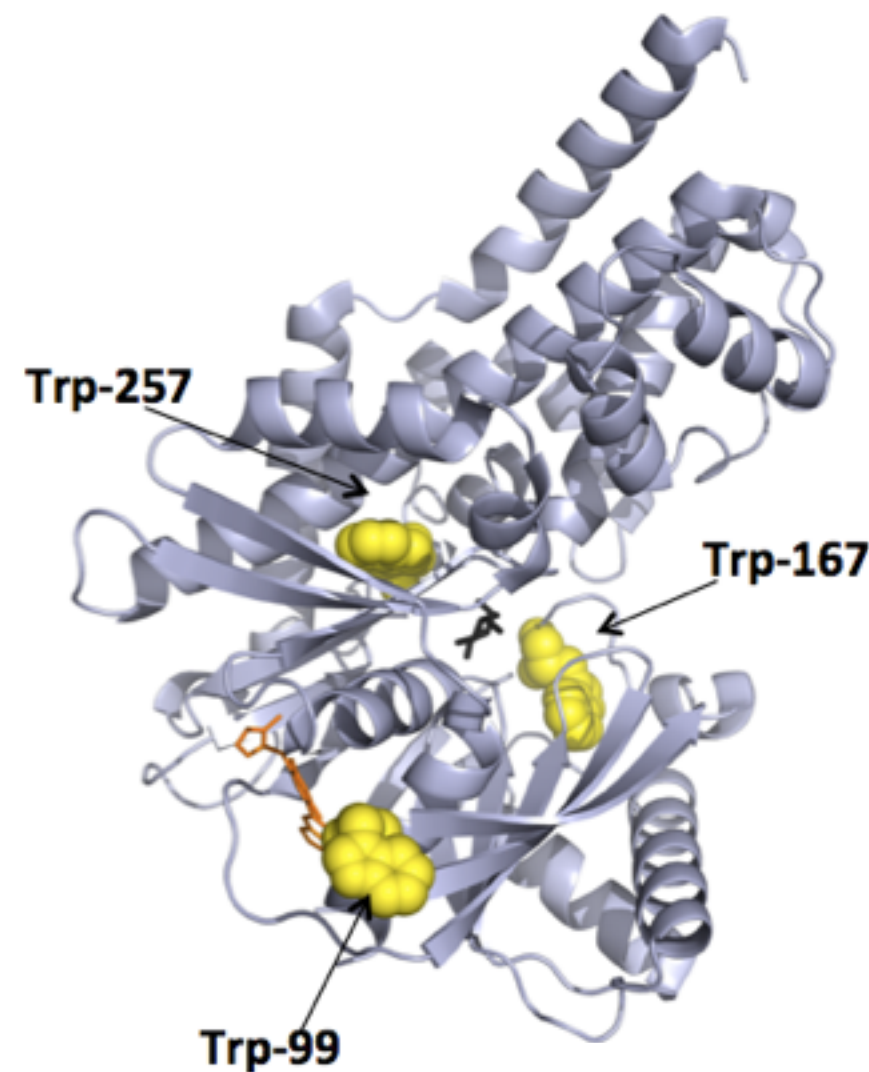


## Glucokinase (Apo) <sup>15</sup>N-HSQC

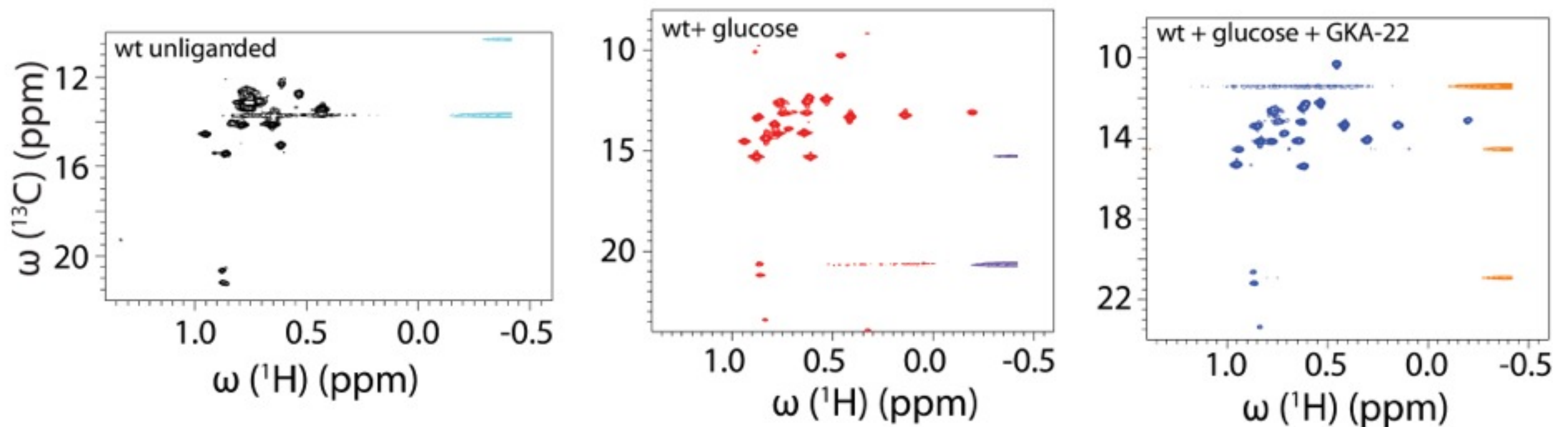
# The spectral complexity can be alleviated by introducing selective labels



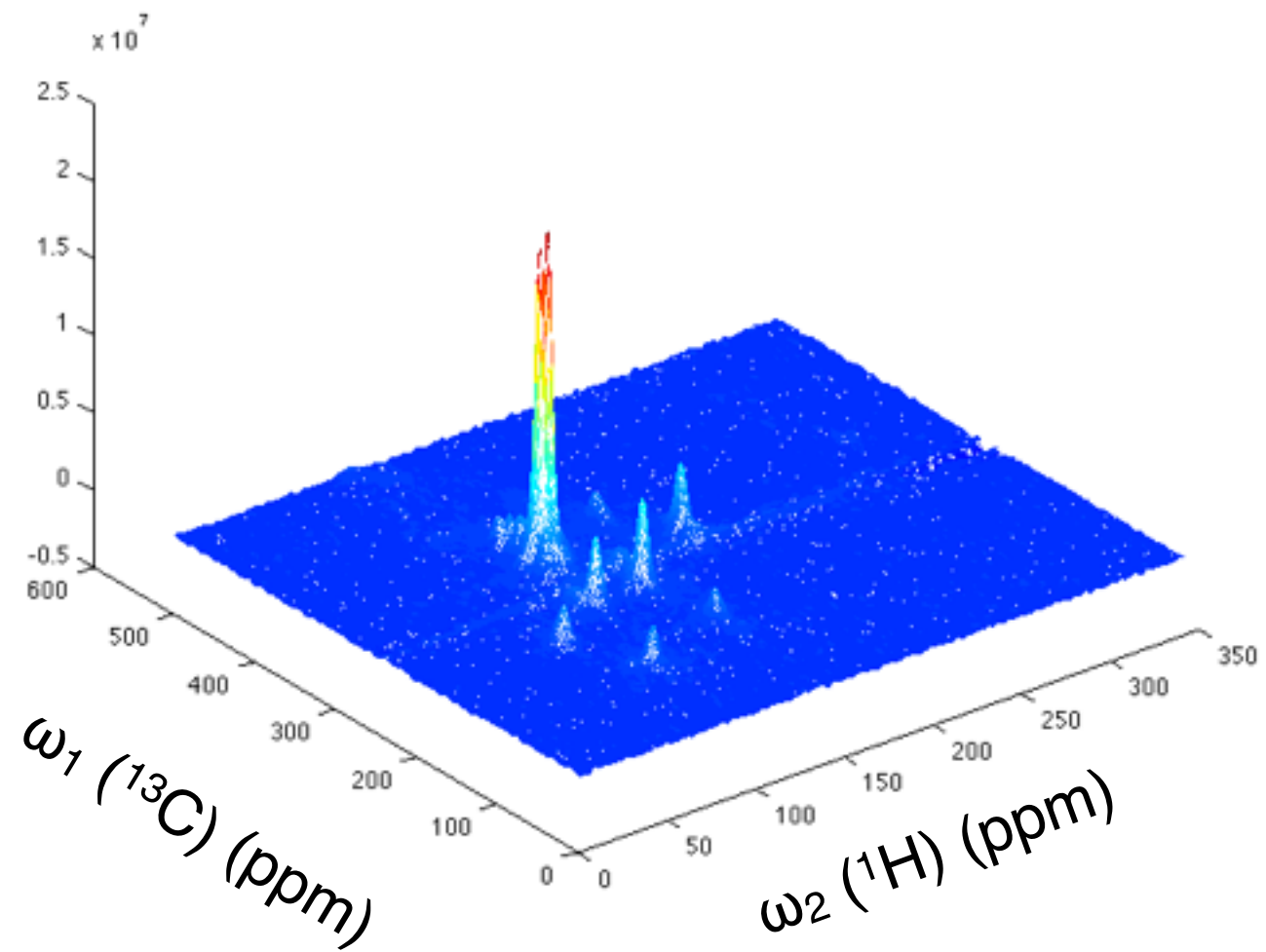
The use of alpha-keto acids, such as alpha-keto butyric acid labeled with  $^{13}\text{C}$  at position 4, is a good strategy to label specifically methyl groups



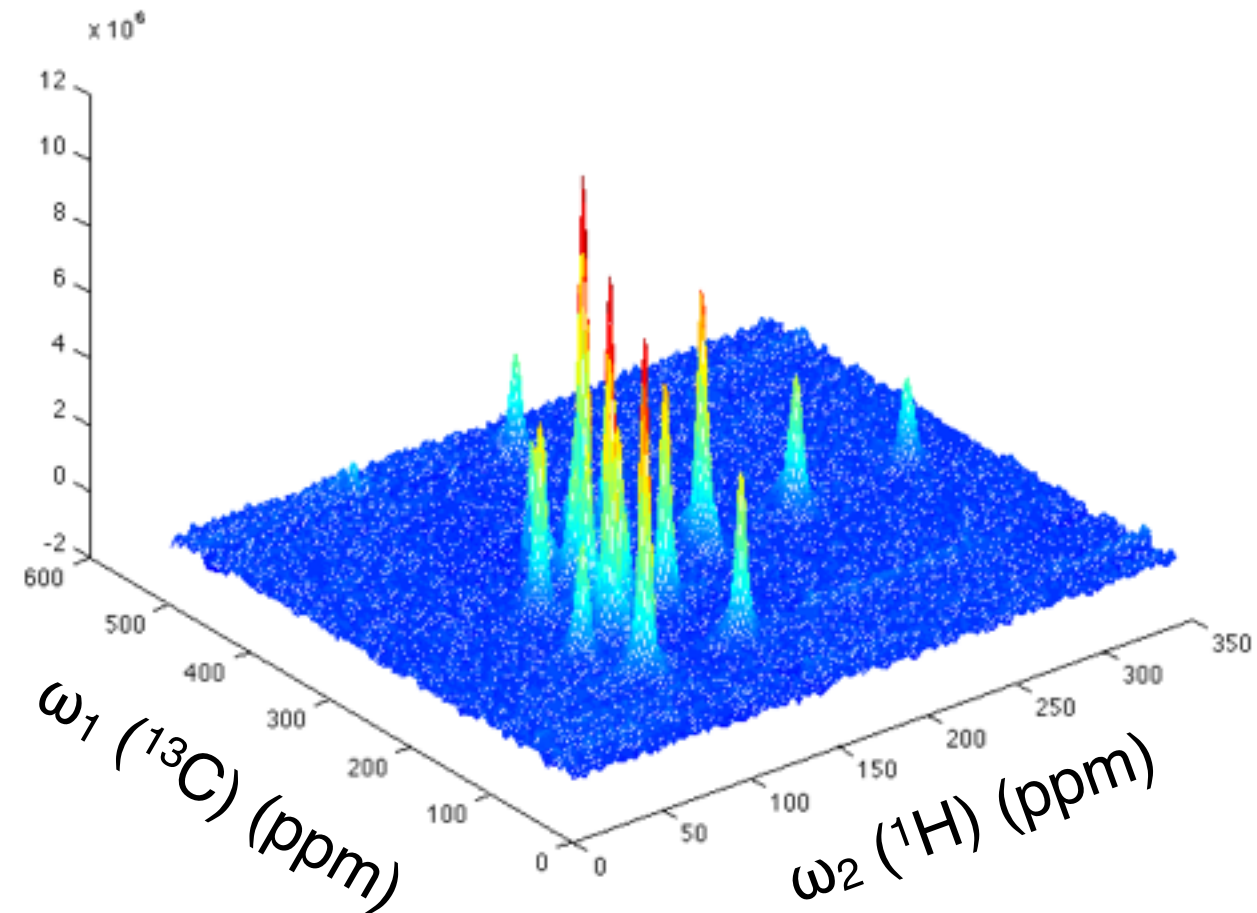
# **$^1\text{H}$ - $^{13}\text{C}$ HMQC spectra of glucokinase in the absence and presence of glucose and glucose + activator**



# The binding of glucose to glucokinase leads to a drastic change on the $^1\text{H}$ - $^{13}\text{C}$ HMQC spectrum

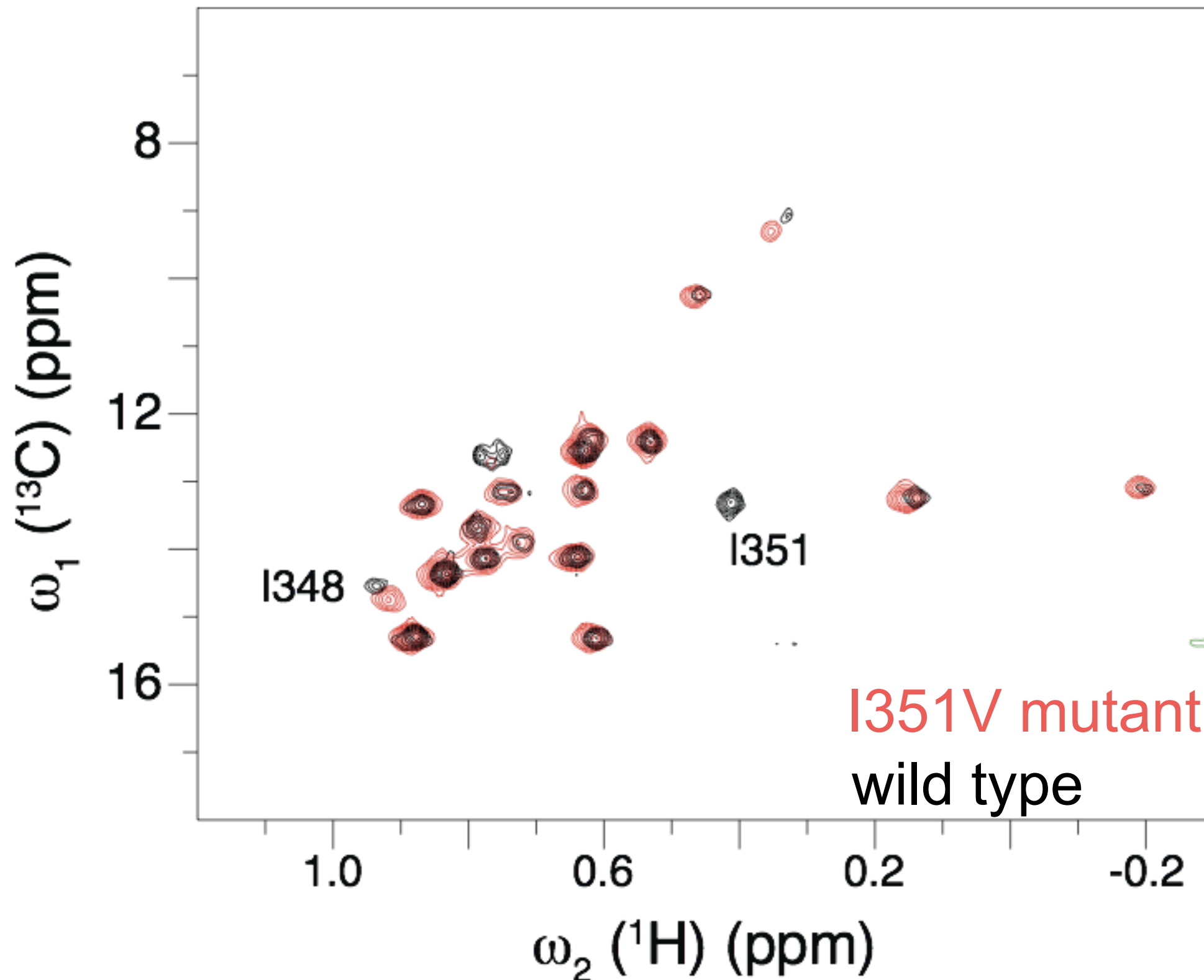


unliganded

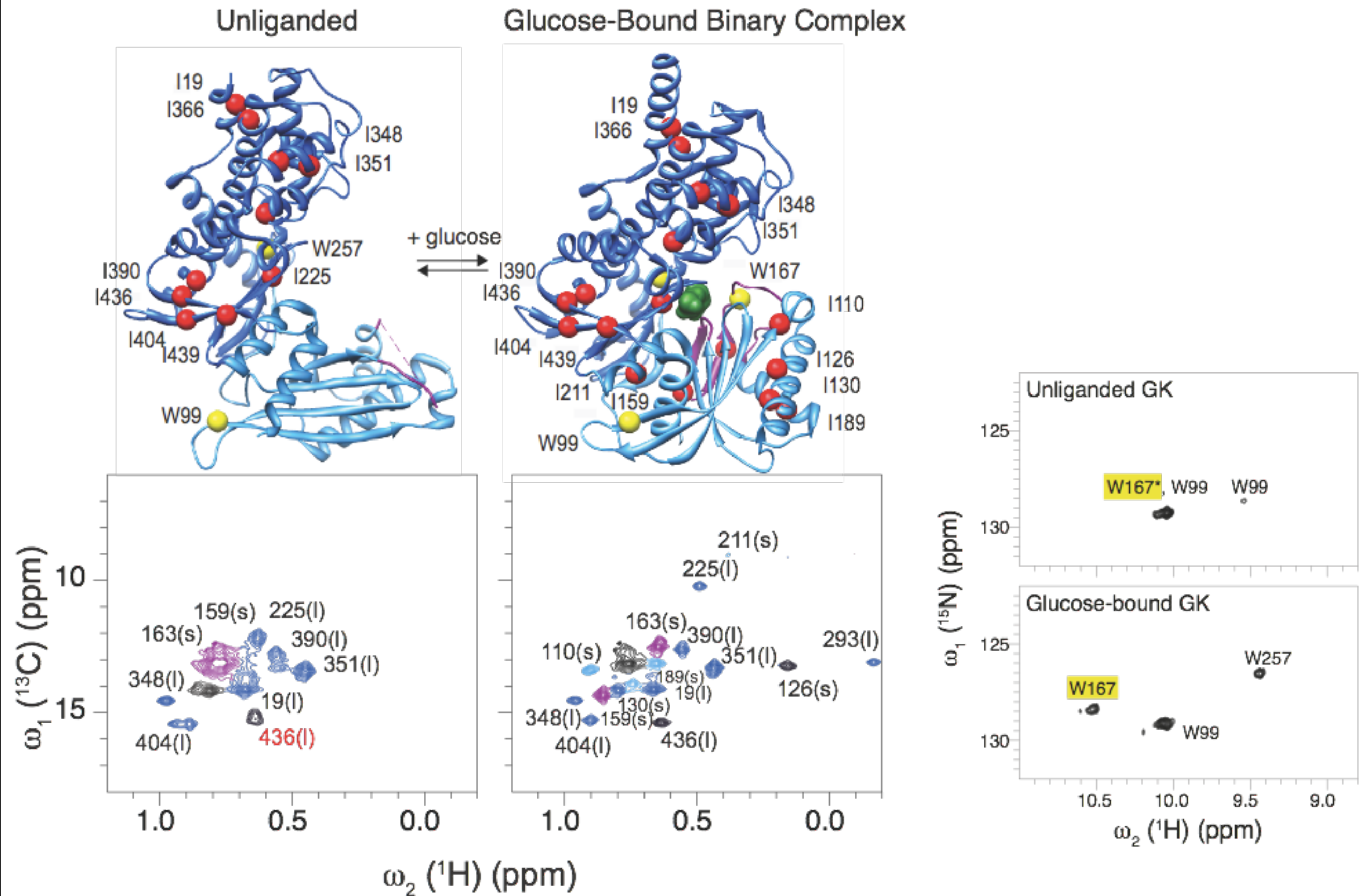


+glucose

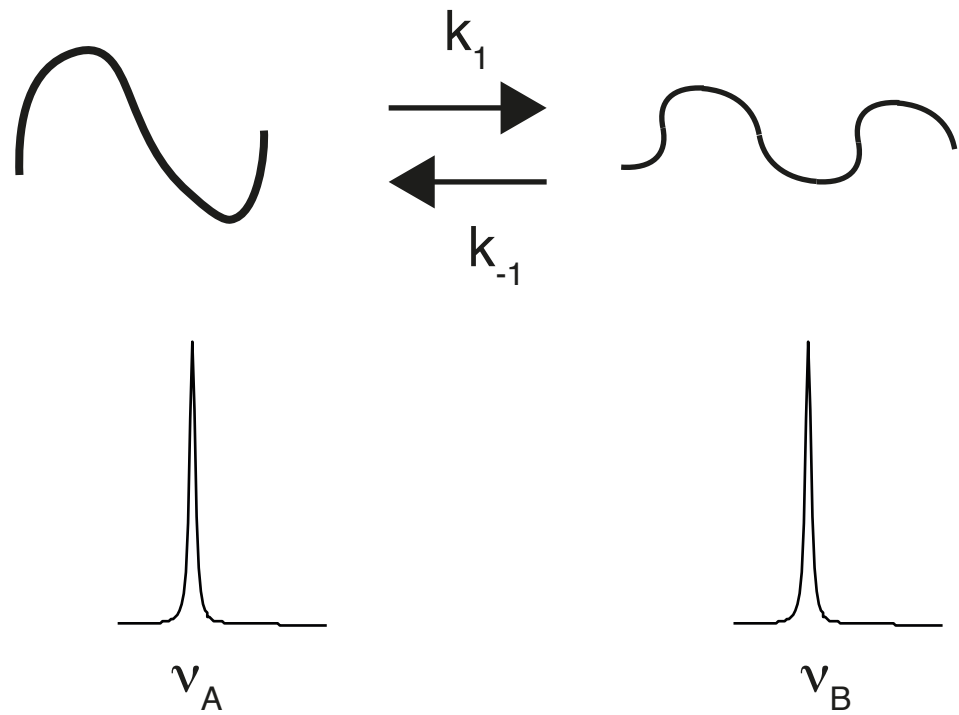
**Assignments for the cross-peaks of isoleucine methyl groups were obtained from site-directed substitutions to valine**



# Glucose binding leads to the appearance of signals from isoleucines located at the small domain

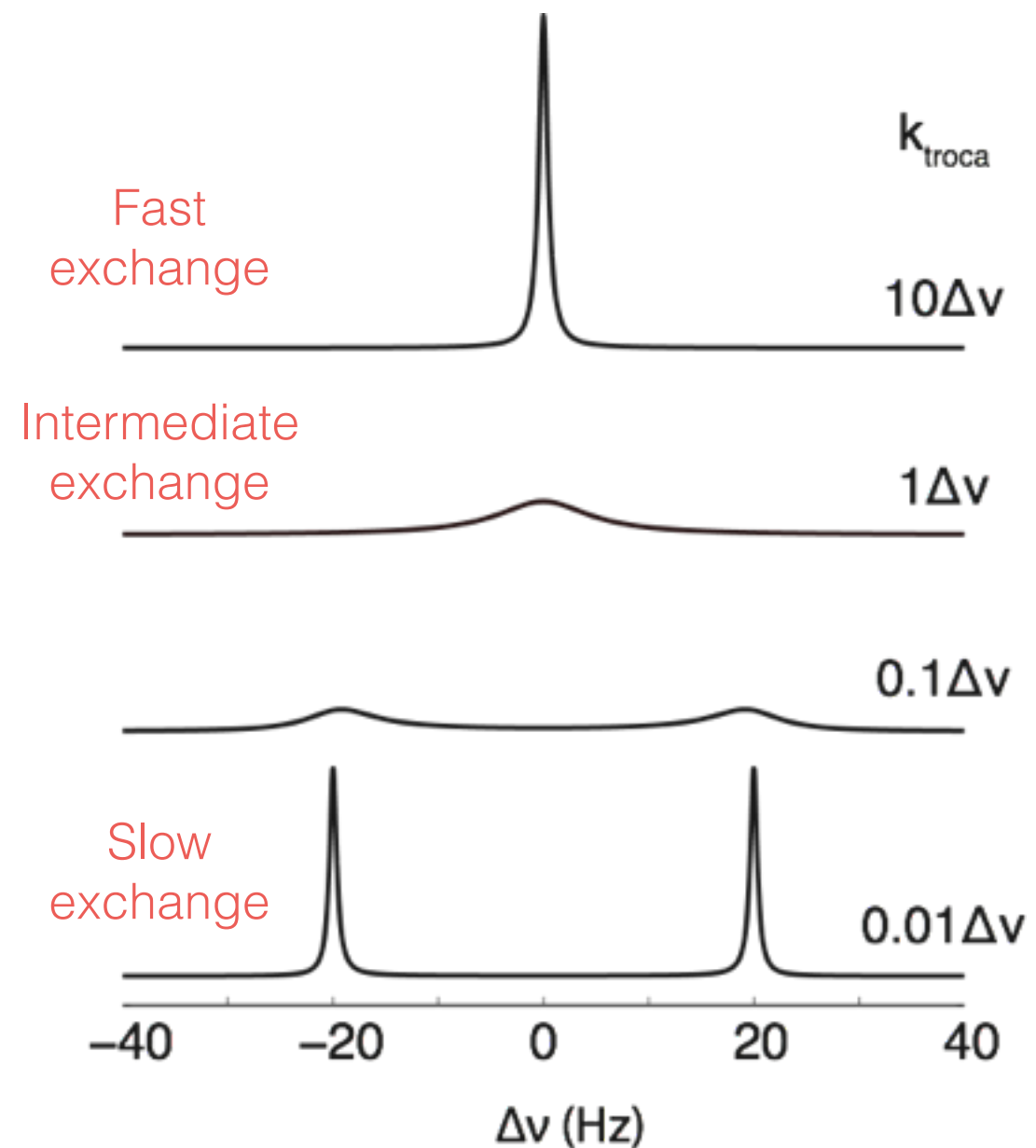


# Conformational eExchange between two conformations will cause a time modulation of the chemical shift affecting the spectral line shape

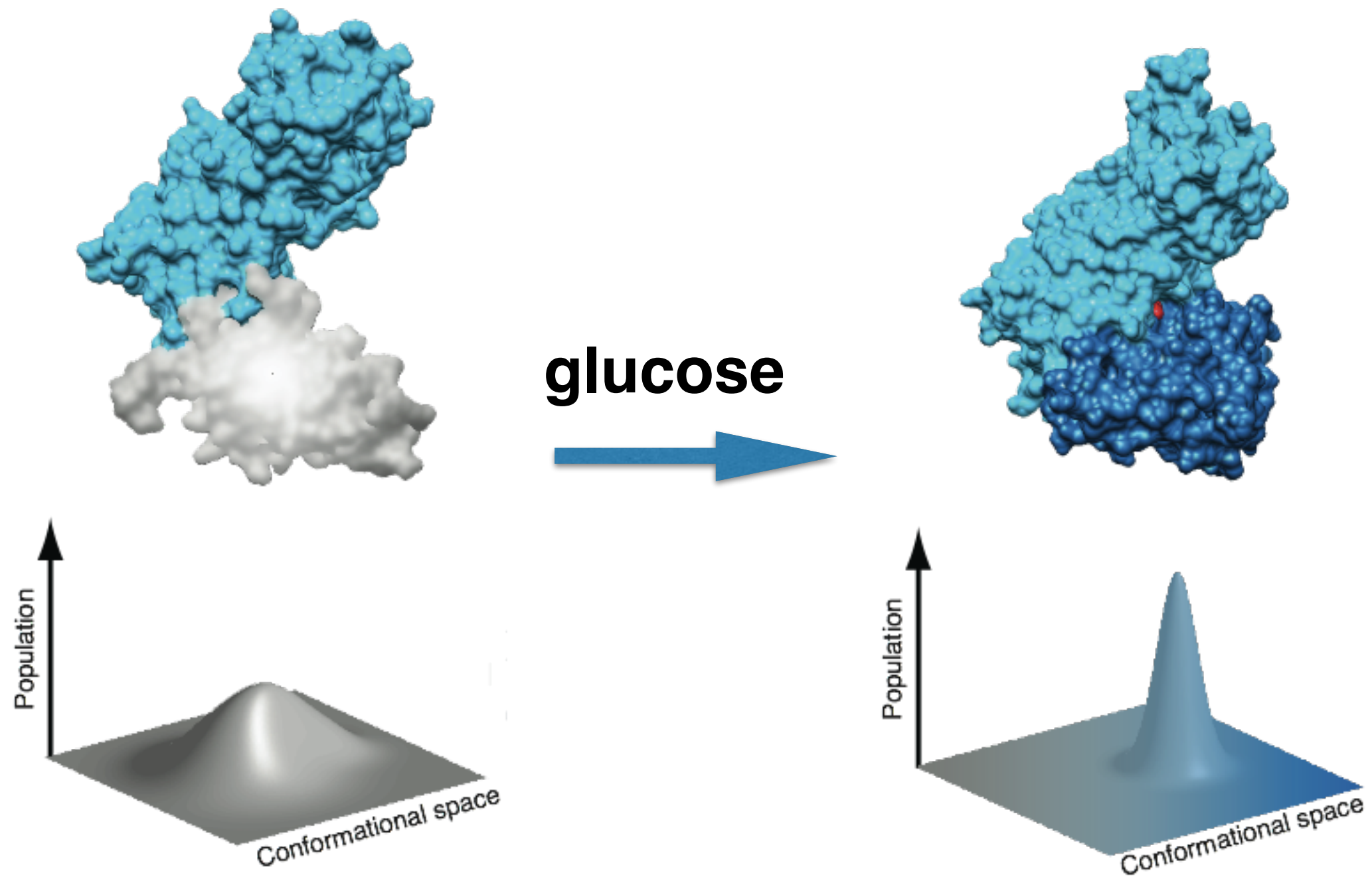


$$k_{\text{ex}} = k_1 + k_{-1}$$

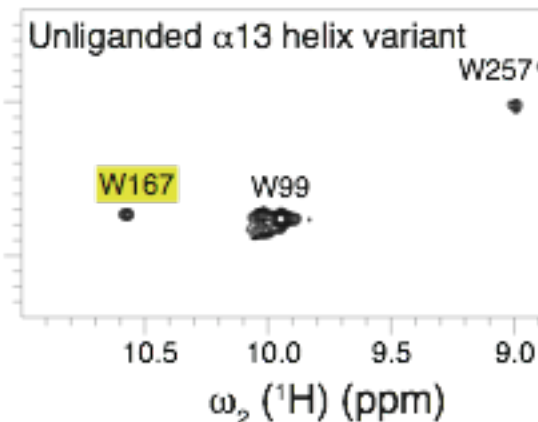
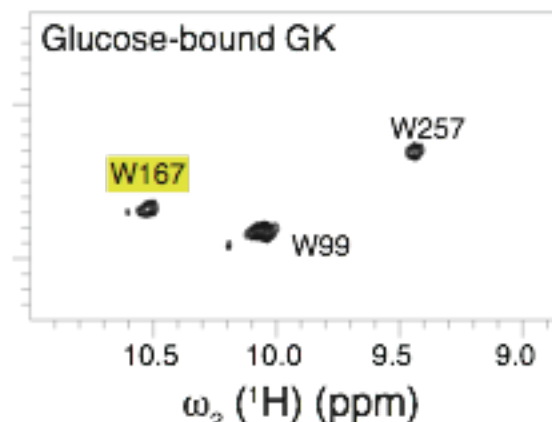
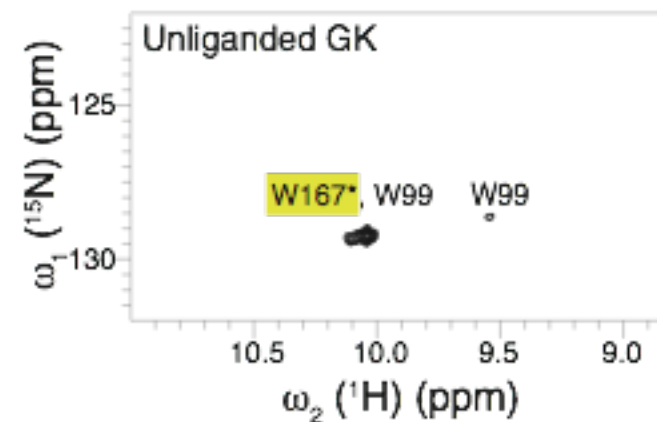
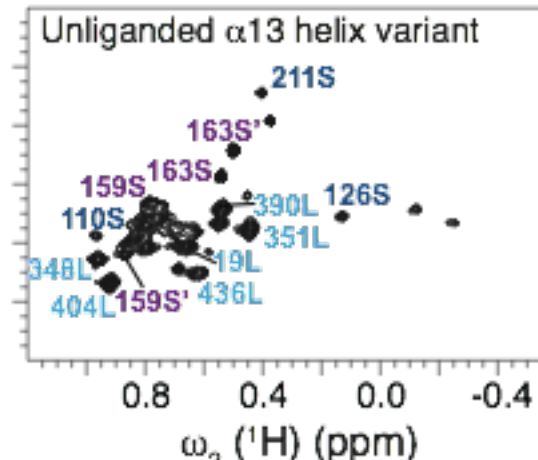
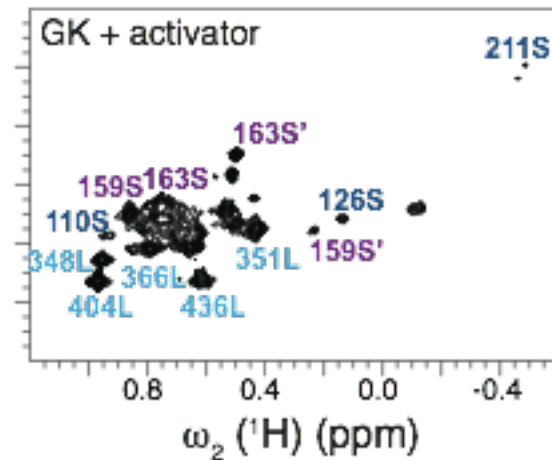
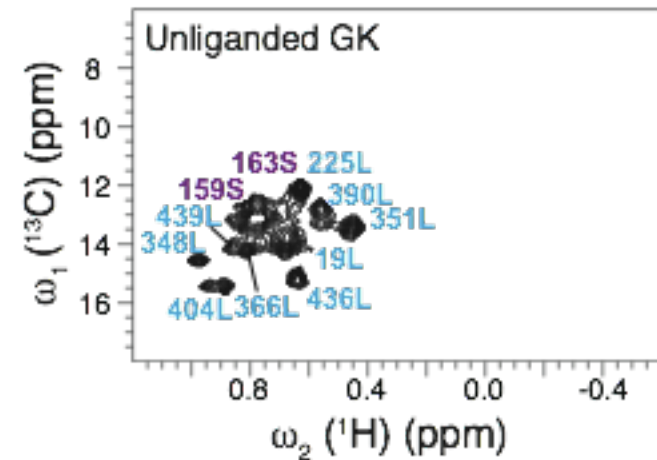
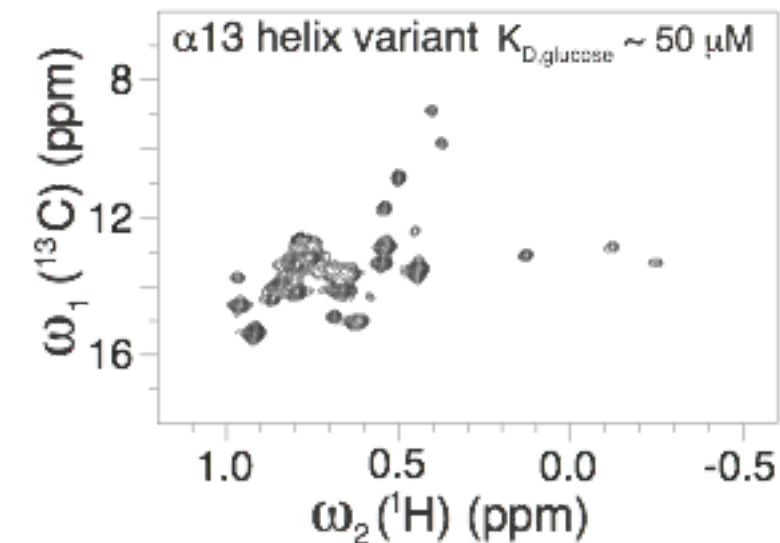
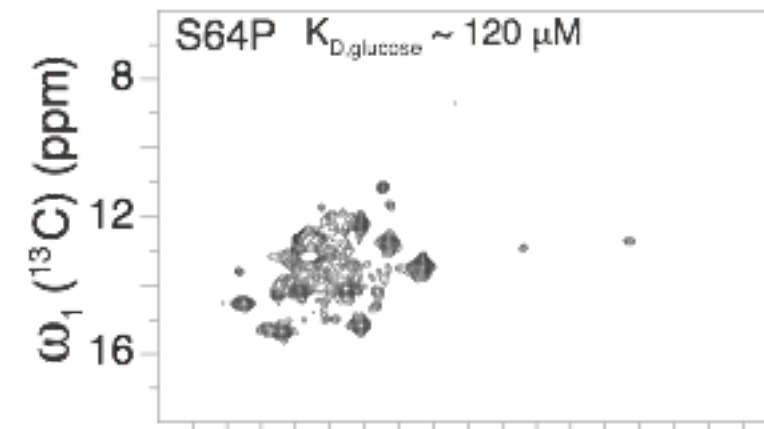
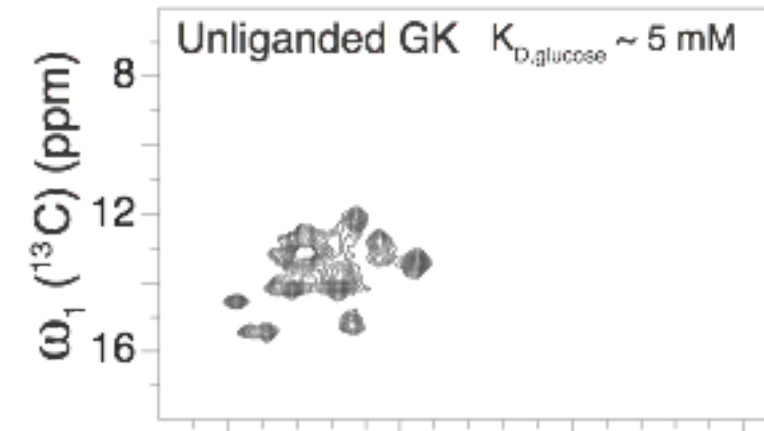
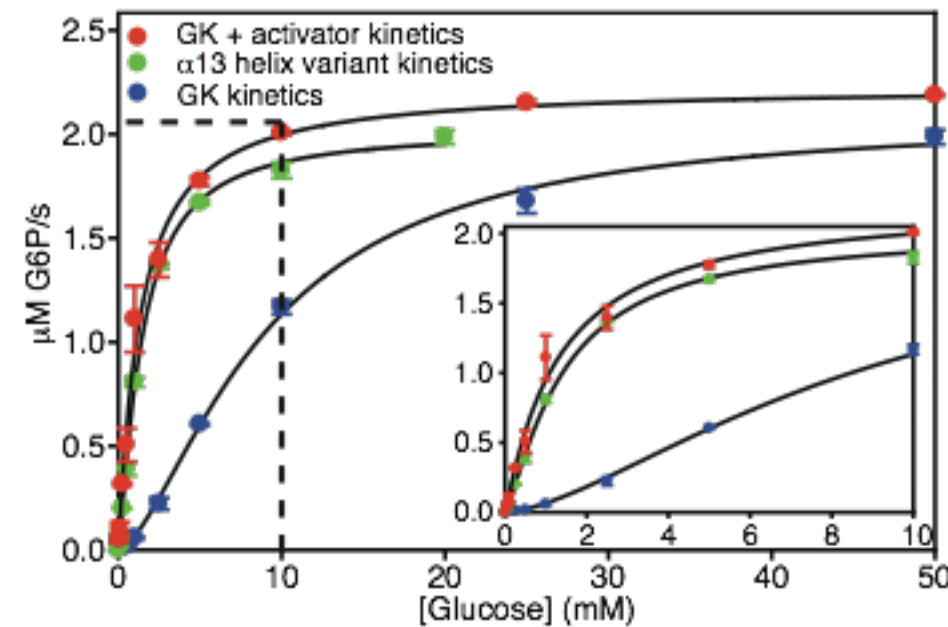
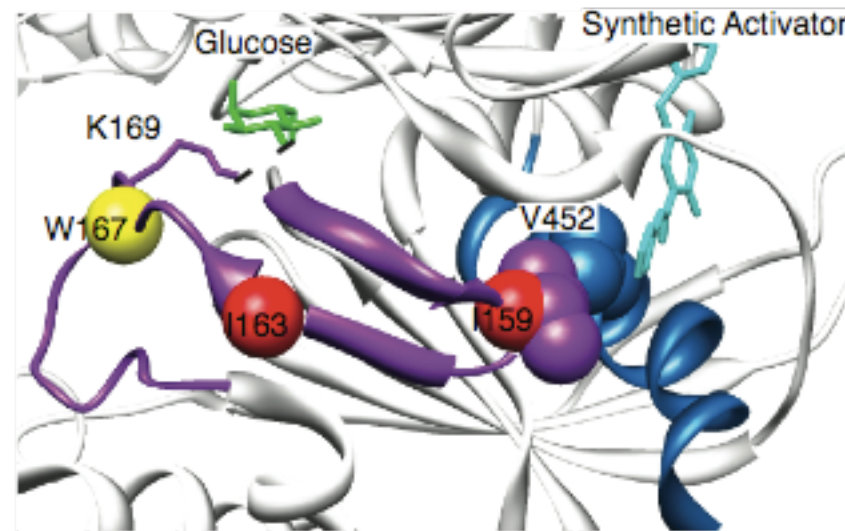
$$\Delta\nu = |\nu_A - \nu_B|$$



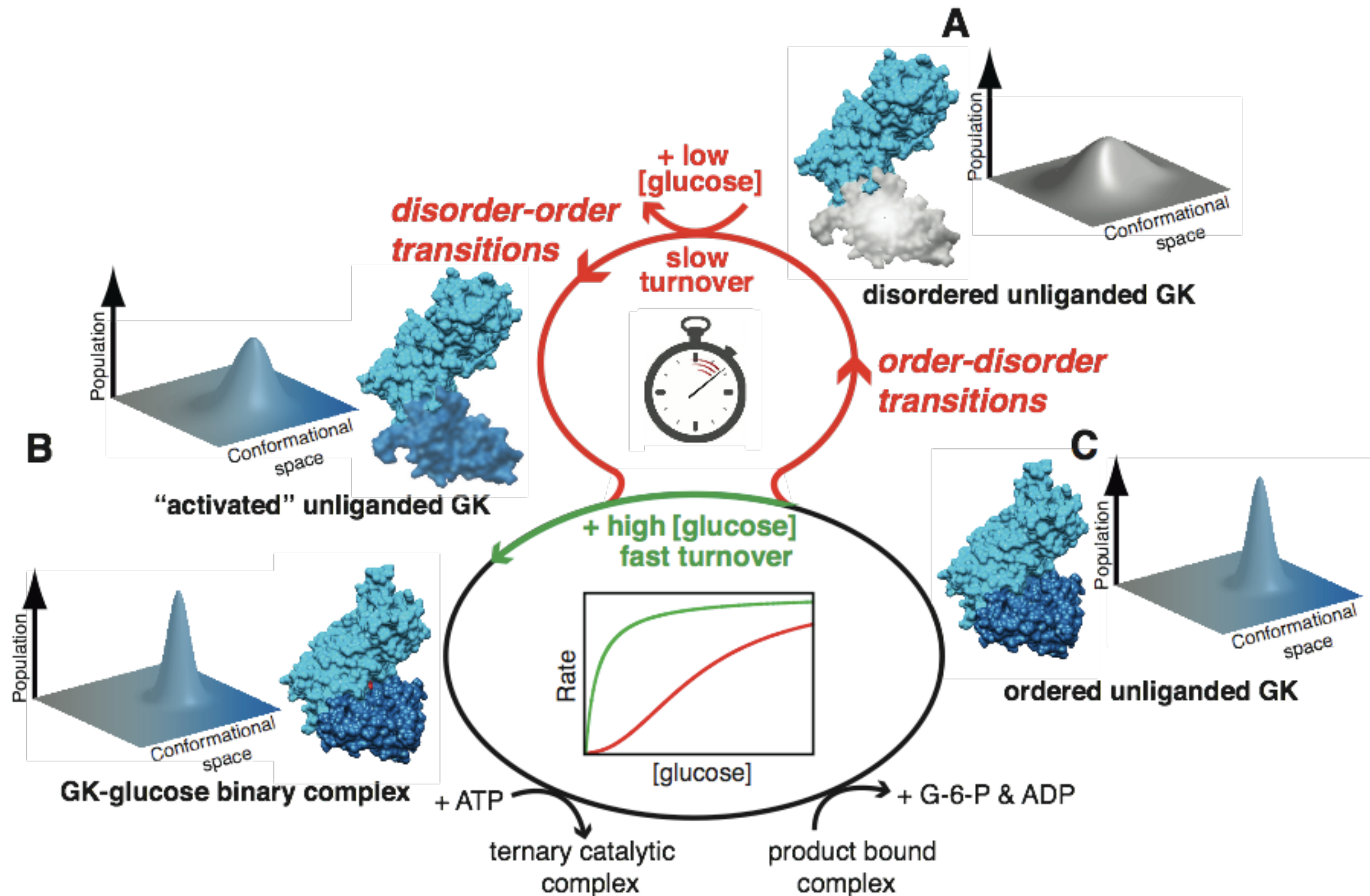
Qualitative interpretation of the data shows that binding of glucose to glucokinase modulates the slow-time scale dynamics at the small domain



# Introduction of mutations that cause hyperactivity or binding of the allosteric activator shift the conformational equilibrium towards more organised states



# These observations lead to a model to explain glucokinase kinetic cooperativity



## Summary

- $^{15}\text{N}$  relaxation can be used efficiently to investigate the protein backbone conformation dynamics at fast time scales
- The NMR study of larger proteins is affected by pronounced spectral overlap and faster T2 relaxation rates. Two ways to overcome these disadvantages are deuteration and amino acid specific labelling
- The study of side dynamics combined with amino acid specific labelling can give relevant insights into protein dynamics and function

# Florida State University and National High Magnetic Field Laboratory

Prof. Rafael Brüscheweiler

Dr. Lei Bruscheweiler-Li

Dr. Miora Larion

Dr. Brian Miller



## University of São Paulo

Prof. Shaker Chuck Farah (IQ)

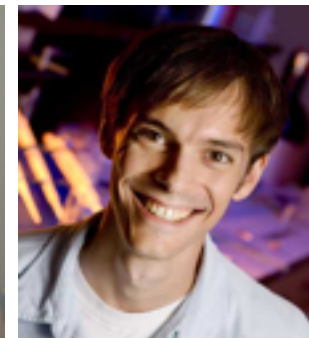
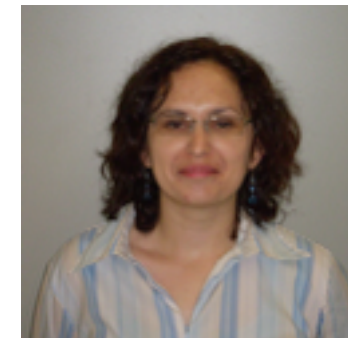
Prof. Cristiano Oliveira (IF)

Dr. Diorge Paulo Souza

Luciana Coutinho de Oliveira

Layara Akemi Abiko

Denize Cristina Favaro



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